

The Economic Value Of Weather Forecasts

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Economic Value of Weather Forecasts

| | | Forecast | |
|--------|---------------|----------------|----------------|
| | | Frost | No Frost |
| Action | Protect | -C (lost cost) | -C (lost cost) |
| | Don't Protect | -L (lost crop) | 0 |

Nelson and Winter *QJE*

Objectives

- Ensure that “economic value” is valid economics
- Look at broader approach to economic valuation

Outline

- Economics and neoclassical value theory
- Risk and uncertainty
- Value of information
- Public goods
- Valuation methods

Economics

- “Study of the allocation of scarce resources to satisfy unlimited wants”
 - scarce resources
 - unlimited wants
 - allocation
- Why Econ 101 (Econ 601)?

Neoclassical Value Theory

- Economic agents
 - Consumers
 - Producers
 - Government
- Assumptions
 1. People have rational preferences
 2. Individuals maximize utility
 3. Firms maximize profits
 4. Agents act independently using full *information*
- Neoclassical Theory includes or extends to
 - Competitive equilibrium
 - Social welfare theory
 - Benefit-cost analysis

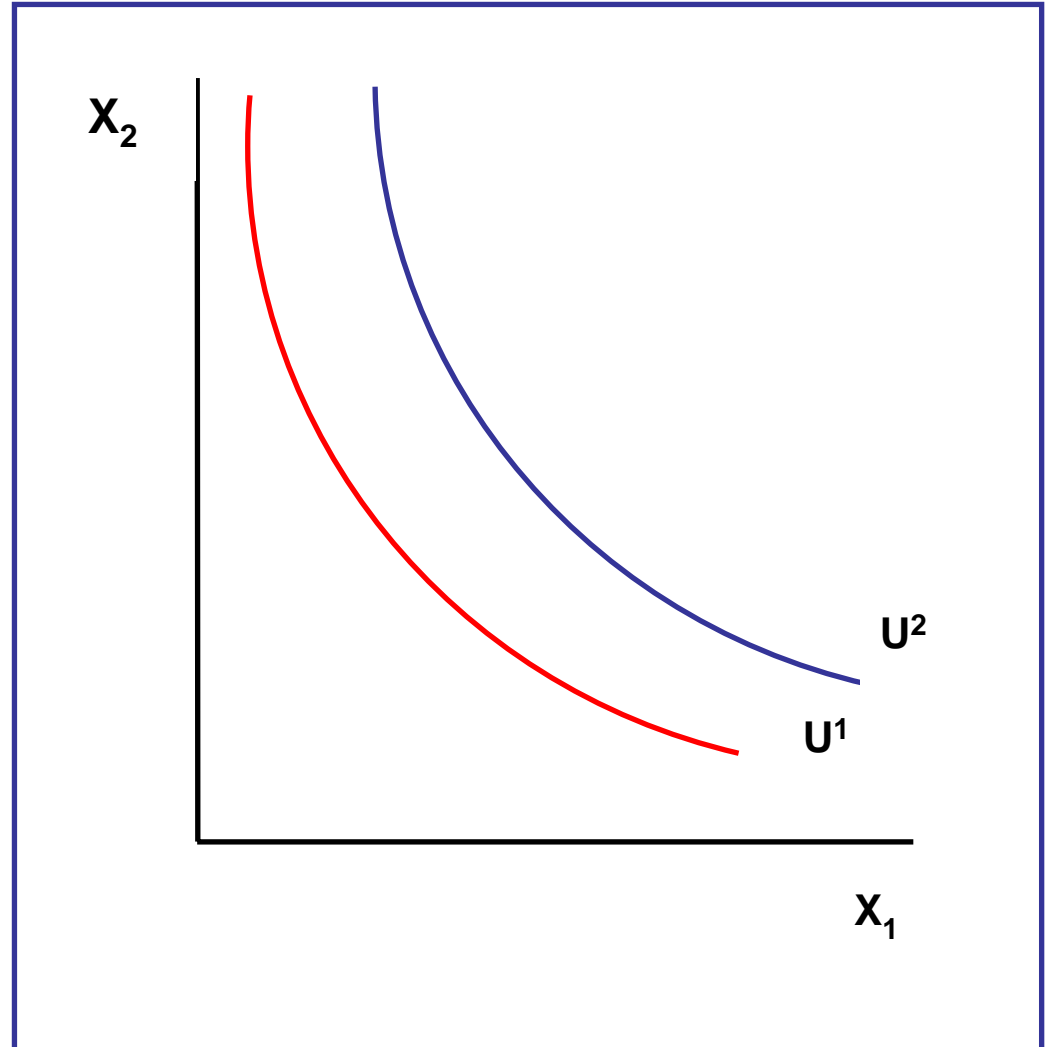
Consumer Utility Theory

$$U = U(X_1, X_2, w)$$

Utility is a function of consumption of two commodities: X_1 , X_2 .

Utility is also dependent on the weather, w .

“Indifference Curve”



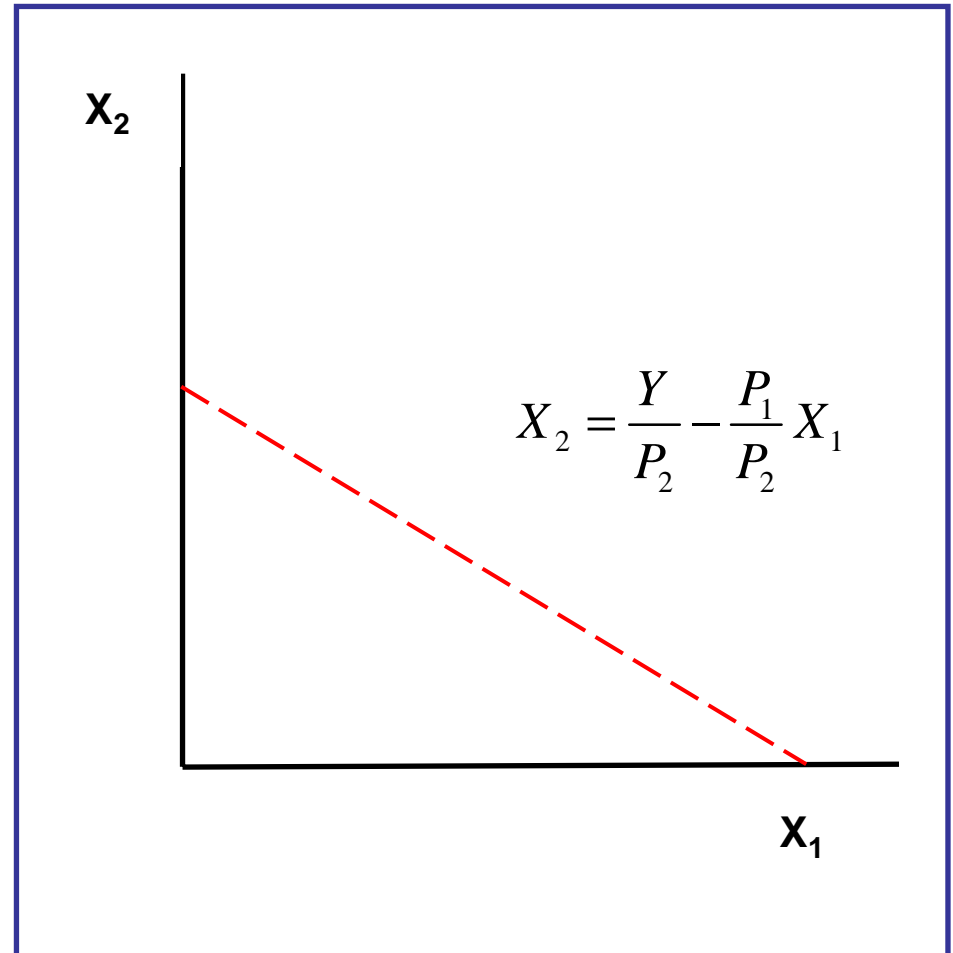
Budget Constraint

$$Y - PX_1 - PX_2 \geq 0$$

Individual constrained by

(1) income: Y

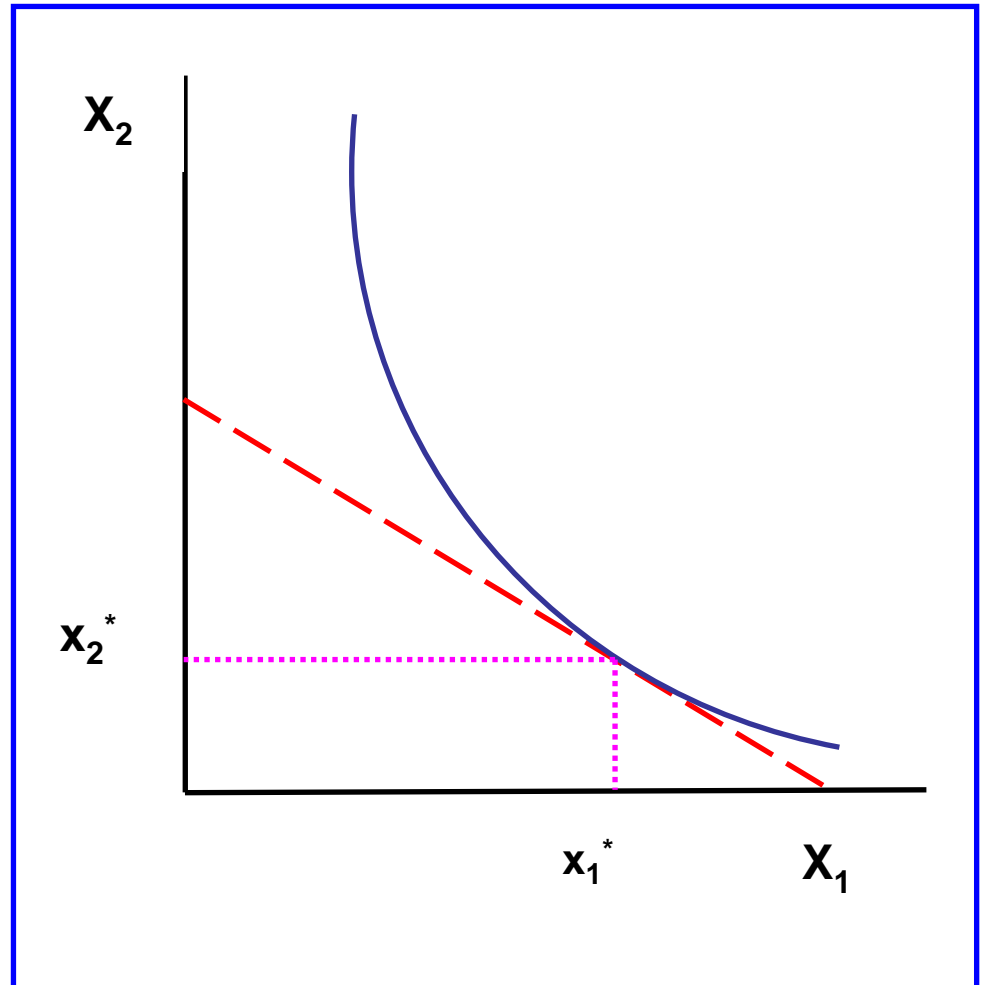
(2) prices: P_1, P_2



Constrained Utility Maximization

Chooses X_1 and X_2

- subject to prices
- subject to income
- to reach the highest level of utility



Solution to Utility Maximization Problem

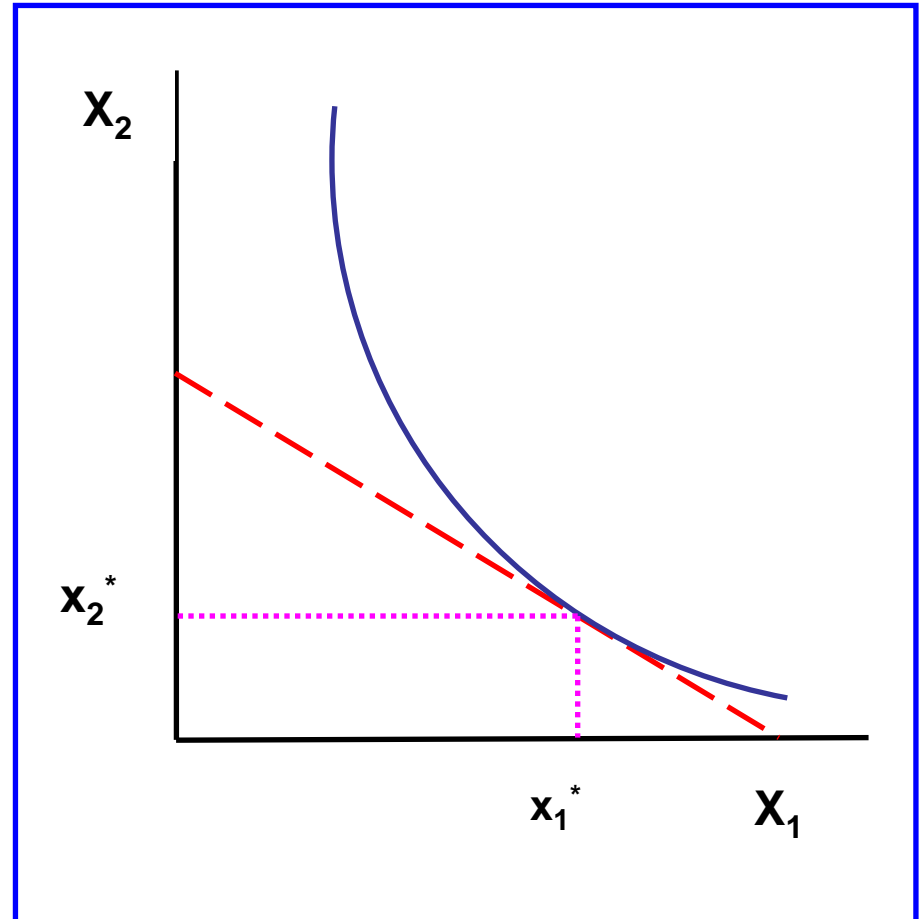
$$\text{Max}_{X_1, X_2} L = U(X_1, X_2, w) + \lambda(Y - PX_1 - PX_2)$$

$$\frac{\partial L}{\partial X_1} = \frac{\partial U}{\partial X_1} - \lambda P_1 \equiv 0$$

$$\frac{\partial L}{\partial X_2} = \frac{\partial U}{\partial X_2} - \lambda P_2 \equiv 0$$

$$\frac{\partial L}{\partial \lambda} = Y - PX_1 - PX_2 \equiv 0$$

$$\frac{\partial U}{\partial X_1} / \frac{\partial U}{\partial X_2} = P_1 / P_2$$



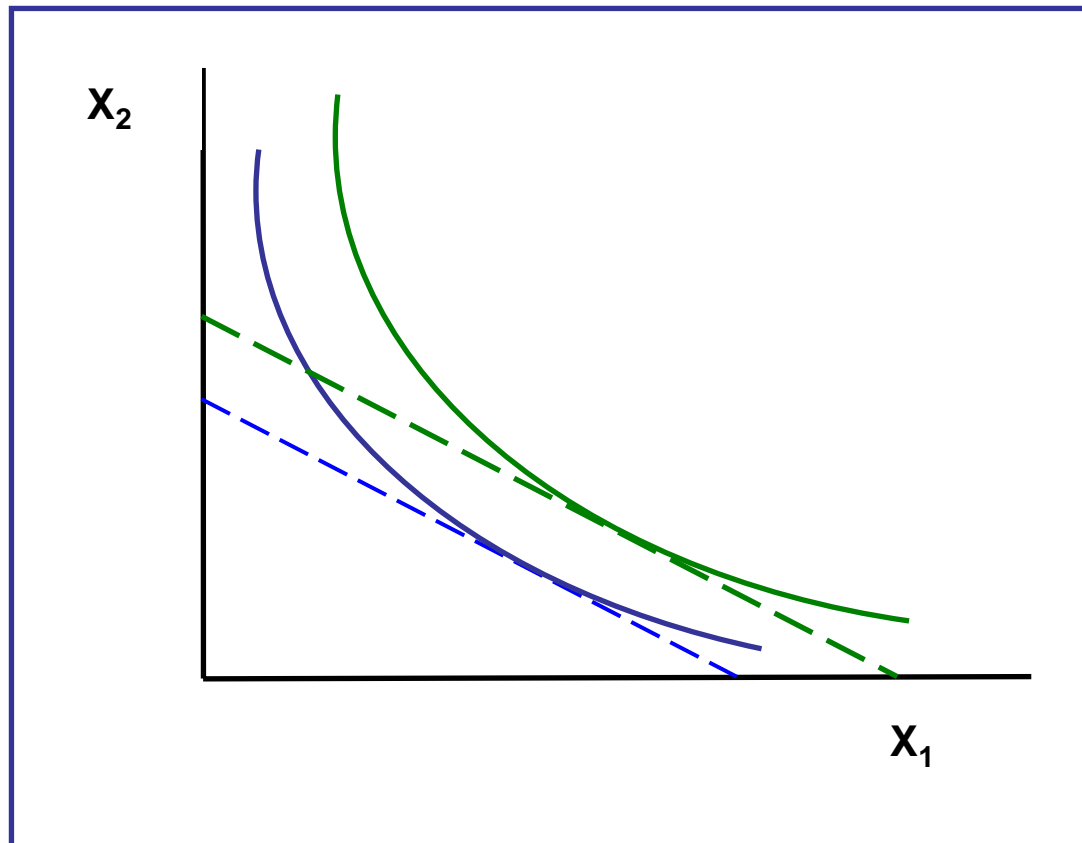
Economics of Production

- Profit maximization
 - Revenues minus costs
- Production constraint
 - Technology
 - Wages and input price
- Subjective decision making
- How does avoided costs relate to Economic Value?
 - Translates to increased income (Y)

Value of Increased Income

$$\text{Max}_{X_1, X_2} L = U(X_1, X_2) + \lambda(Y - PX_1 - PX_2)$$

$$\frac{\partial L}{\partial Y} = \lambda$$



Lessons Learned So Far

- Neoclassical value theory asserts that **economic value** is determined by consumers' marginal utility
- “Value” is based on individuals' preferences
 - Value is **subjective**
 - Value does not mean “dollars”
 - Dollars serve *only* as a unit of measurement
 - Value does mean “utility”
- Prices convey information
 - To “consumers” for making decisions
 - To “observers” about relative preferences
- Cost savings translates to “Income” and thus “Value”

Where's the weather?

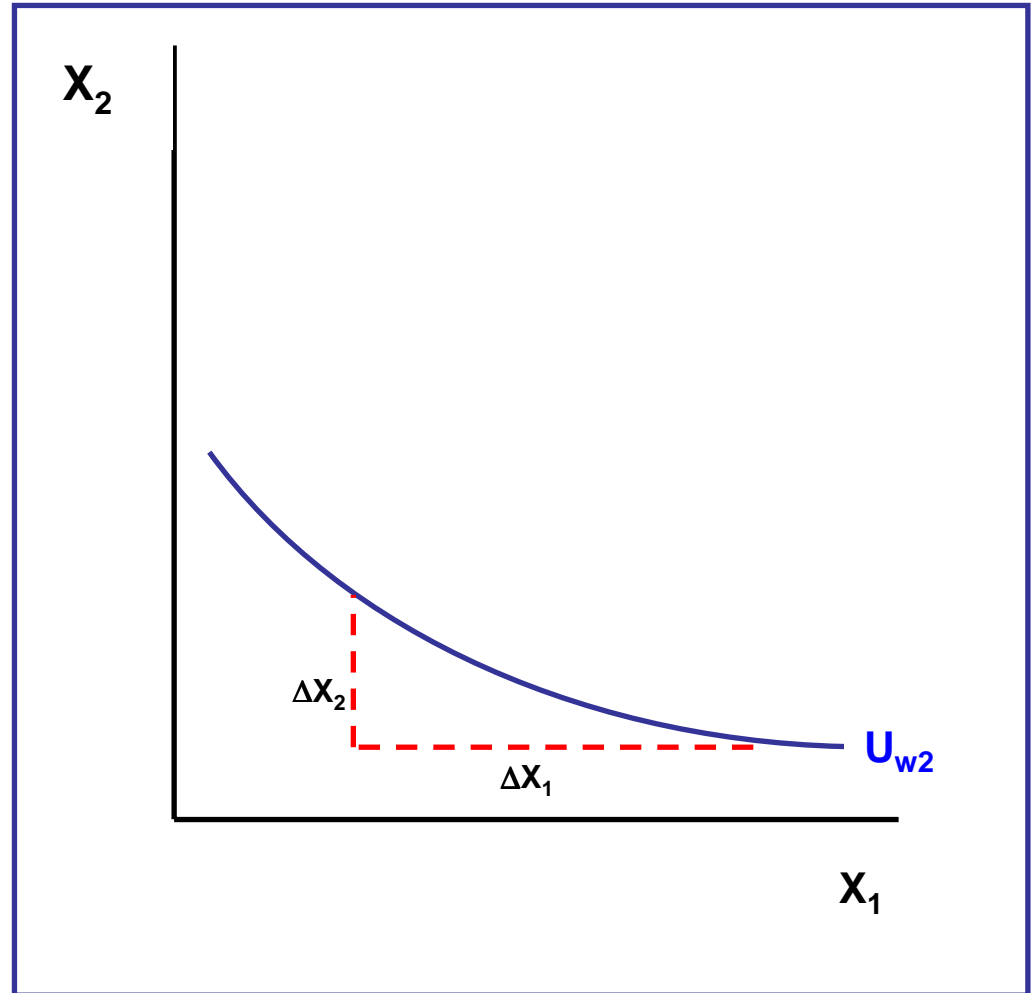
Weather and State Dependent Utility

$$U = U(X_1, X_2, w)$$

Utility is dependent on the weather, w .

Weather w_2 favors activity that uses X_2

Have to give up a lot of X_1 to get some more X_2 to keep utility constant

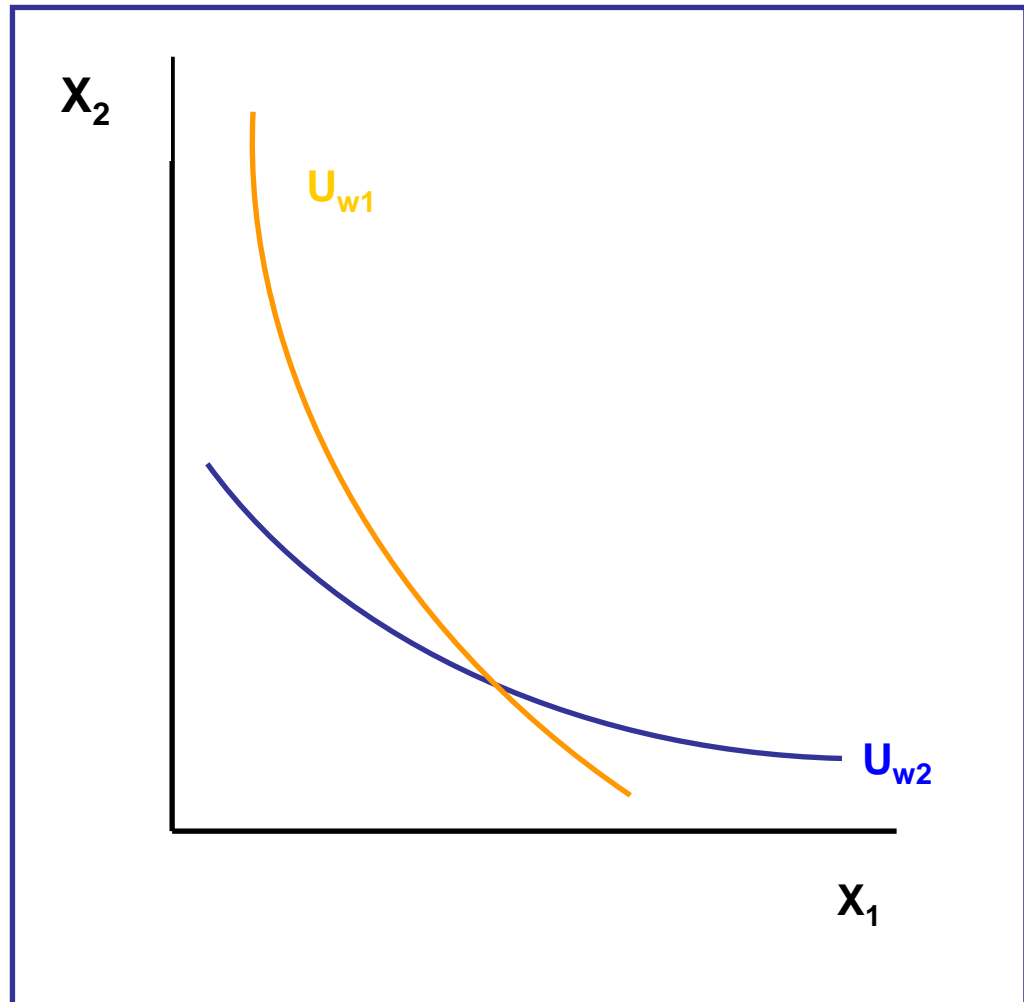


Weather and State Dependent Utility

Weather w_1 favors activity that uses X_1

Have to give up a lot of X_2 to get some more X_1 to keep utility constant

How to choose when unknown whether weather is w_1 or w_2 ?



Risk and Uncertainty

Three approaches to risk and uncertainty:

1. Games of chance
2. Behavioral uncertainty
3. Incomplete information
 - Prices
 - Income
 - Commodity quality
 - Outcome probabilities?

How to formulate “weather uncertainty” and forecast information?

Expected Utility (EU) Theory

$$\text{Max}_{X_1, X_2} EU = \sum_{i=1}^n p_i [U(X_1, X_2, w_i)]$$

Assuming two states of world: $p_1 + p_2 = 1$

$$\text{Max}_{X_1, X_2} EU = p_1 [U(X_1, X_2, w_1)] + (1-p_1) [U(X_1, X_2, w_2)]$$

Being explicit about the income constraint:

$$\begin{aligned} \text{Max}_{X_1, X_2} L &= p_1 [U(X_1, X_2, w_1) + \lambda(Y - PX_1 - PX_2)] + \\ &\quad (1-p_1) [U(X_1, X_2, w_2) + \lambda(Y - PX_1 - PX_2)] = \\ &= p_1 [U(X_1, X_2, w_1)] + (1-p_1) [U(X_1, X_2, w_2)] + \lambda(Y - PX_1 - PX_2) \end{aligned}$$

income constraint not affected by risk or uncertainty

Expected Utility (EU) Theory

$$\begin{aligned} \text{Max}_{X_1, X_2} L = & p_1 \left[U(X_1, X_2, w_1) + \lambda(Y\{w_1\} - P\{w_1\}X_1 - P\{w_1\}X_2) \right] + \\ & (1-p_1) \left[U(X_1, X_2, w_2) + \lambda(Y\{w_2\} - P\{w_2\}X_1 - P\{w_2\}X_2) \right] \end{aligned}$$

Expected Utility and Forecast Information

Subjective probability values p are a function of forecast, f .

$$p = p(f)$$

$$\text{Max}_{X_1, X_2} EU = \sum_{i=1}^n p_i(f) [U(X_1, X_2, w_i)]$$

$$p = p\left(f \sim \{\bar{f}, \sigma, \dots, \dots\}\right)$$

$$\text{Max}_{X_1, X_2} EU = \sum_{i=1}^n p\left(f \sim \{\bar{f}, \sigma, \dots, \dots\}\right) [U(X_1, X_2, w_i)]$$

Value of Information

$$\text{Max}_{X_1, X_2} EU = \sum_{i=1}^n p \left(f \sim \{ \bar{f}, \sigma, \dots, \dots \} \right) [U(X_1, X_2, w_i)]$$

$$p = p \left(f \sim \{ \bar{f}, \sigma, \textit{skew}, \textit{kurtosis} \} \right)$$

- “Improving” forecast means:
 - improving some measure the distribution of the forecast
 - Improving how forecast information translates to “ p ”
 - i.e., education and communication
- Forecast has value if it increases Expected Utility
 - this depends on how f relates to p
 - does not require a behavioral change

Public Goods

What is the price (i.e., value) of weather forecasts?

Weather forecast characteristics

- Non-rival
- Non-exclusive

Problems of public goods

- No observable price information
- No provision by private markets

Weather forecasts as “quasi-public goods”?

Valuation Methods

Market Methods

- how much is the information bought and sold for

Prescriptive Models

- “optimal” decision making by an economic agent

Non-Market Methods

- Indirect
 - Hedonic pricing
 - Value of statistical life
- Direct
 - Willingness-to-pay (WTP) studies

Valuation Methods

Value of Statistical Life (VSL)

- 1,000,000 people each willing to pay \$50 a year for a program to reduce the chance of death by 1 in 100,000 per year (say from 20 in 100,000 to 19 in 100,000 each year)
- Means that the group is WTP \$50,000,000 to prevent 10 deaths
- $VSL = \$50,000,000 / 10 \text{ deaths} = \$5,000,000$

Valuation Methods

Non-Market Methods

- Direct
 - Willingness-to-pay (WTP)
 - Value for improvements not yet realized

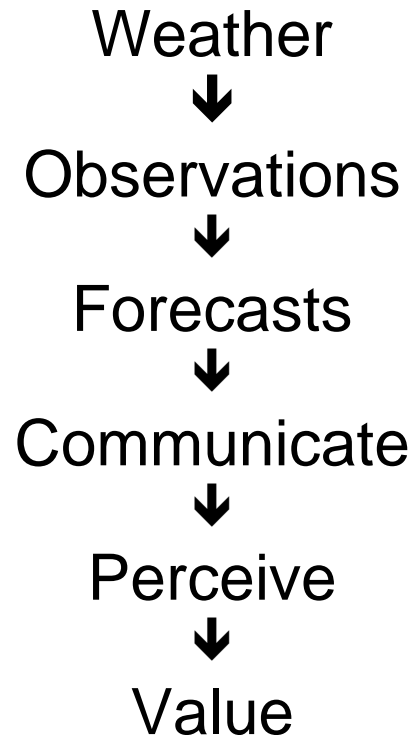
$$U = U(X_1, X_2, w) \Rightarrow U = V(Y, P, w)$$

$$U^1 = V(Y^1, P^1, w_1)$$

$$U^1 = V(Y^1, P^1, w_1) = V(Y^1 - \mathbf{WTP}, P^1, \mathbf{w}_2)$$

$w_2 \succ w_1$ where \succ implies "preferred"

Making Connections



Integrate social science research on weather forecasting

- Risk communication
- Risk perception
- Psychology
- Anthropology
- Sociology
- Geography

Conclusion

- Economic value means “utility”
- How does “improved” forecast accuracy relate to value?
 - depends on what “improved forecast accuracy” means
 - depends on the utility function
- Economics can add to understanding complex relationships between
 - weather events
 - weather forecasts
 - users and values



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