



*Verification against
precipitation observations of a
high density network – what did
we learn?*

Ulrich Damrath
Deutscher Wetterdienst



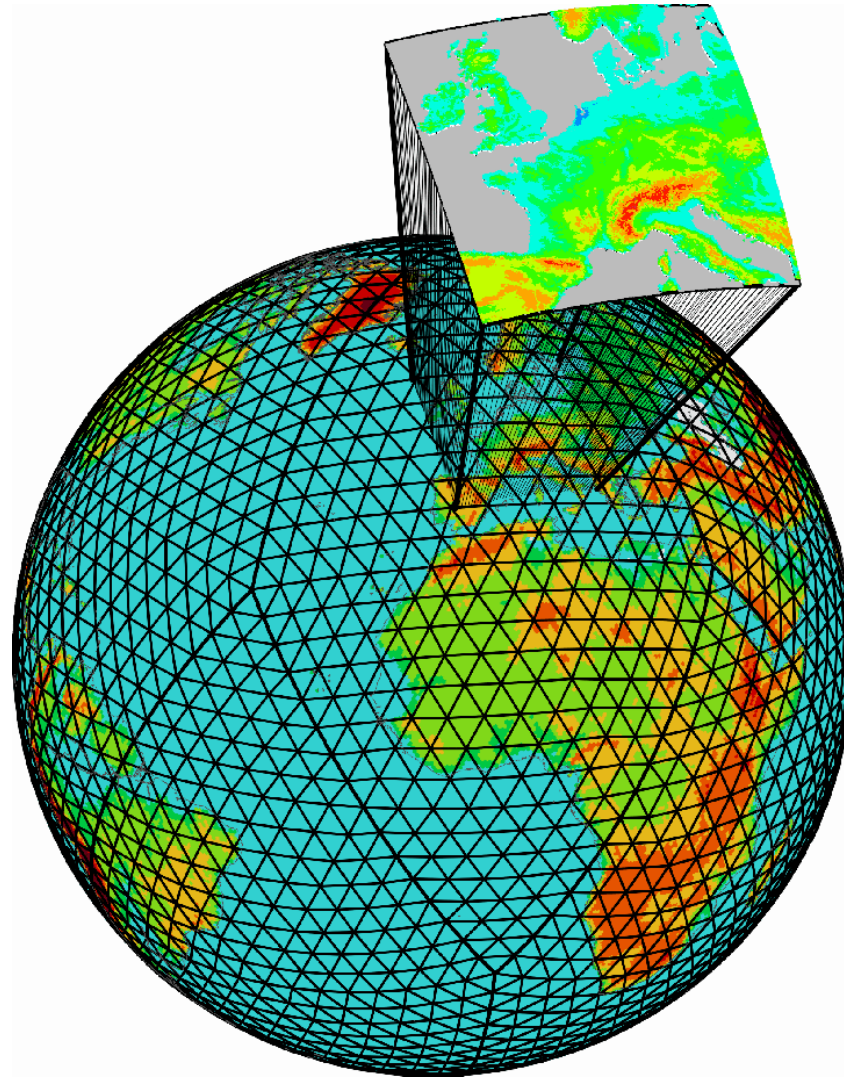
Contents:

- **Models under operational use at Deutscher Wetterdienst**
- **Typical precipitation structures over Germany**
- **Upscaling precipitation observations and forecasts**
- **Cross sections and pattern recognition**
- **Verification using elements of fuzzy logics**



Operational models at Deutscher Wetterdienst (state: August 2004)

Globalmodell GME
mesh width: 60 km
layers: 31
forecast times:
174 h at 00 and 12 UTC
48 h at 18 UTC

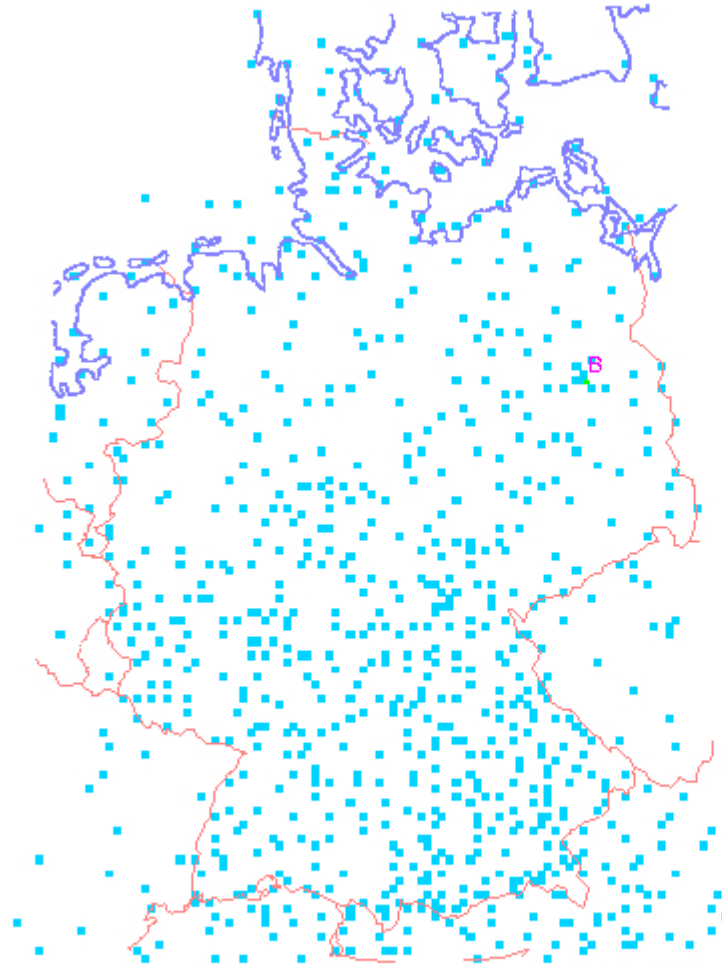


Lokalmodell LM
mesh width: 7 km
layers: 35
forecast times: 48 h
at 00, 12 und 18 UTC



Distribution of stations in SYNOP-network for LM verification

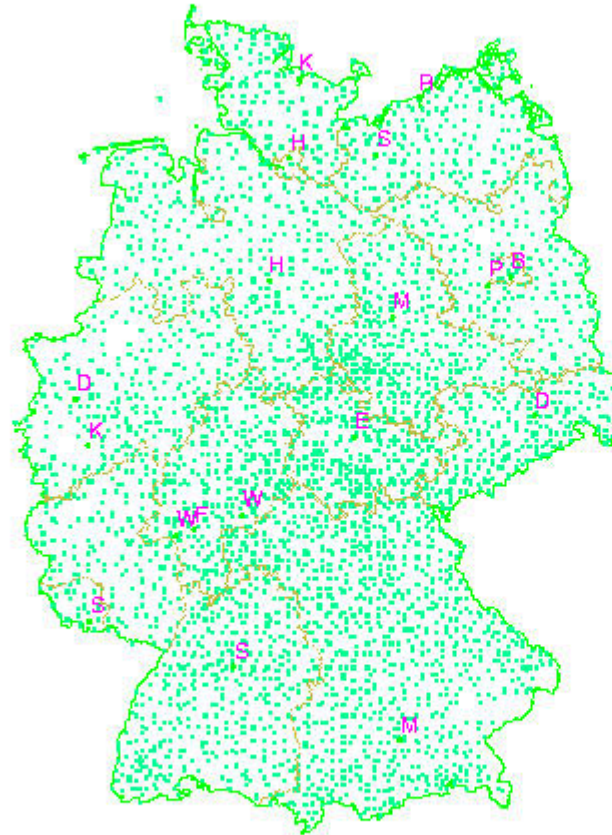
OBS



resolution in time: 1-3h

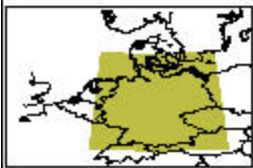


Distribution of stations in the network with high resolution



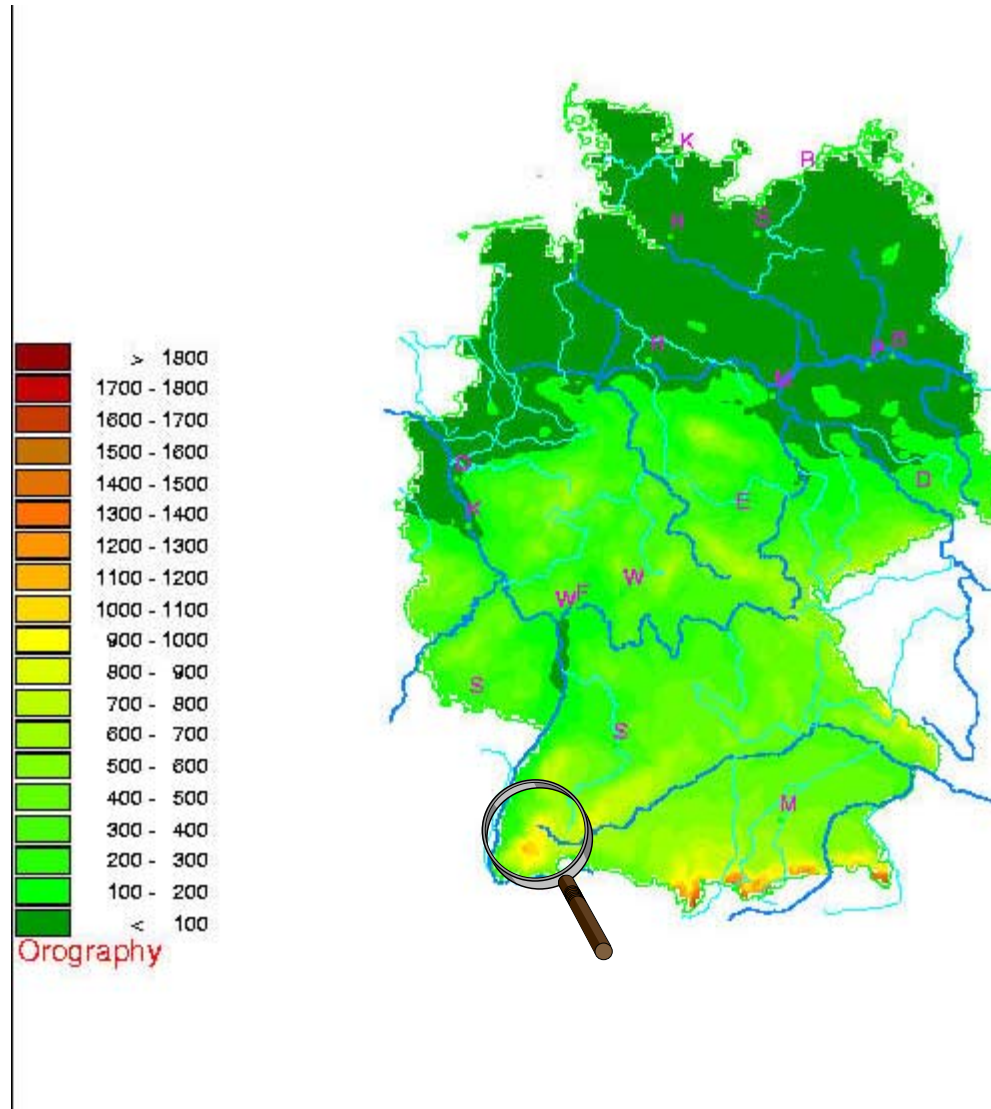
resolution in time: 24h

Distribution of stations with precipitation measurements over Germany



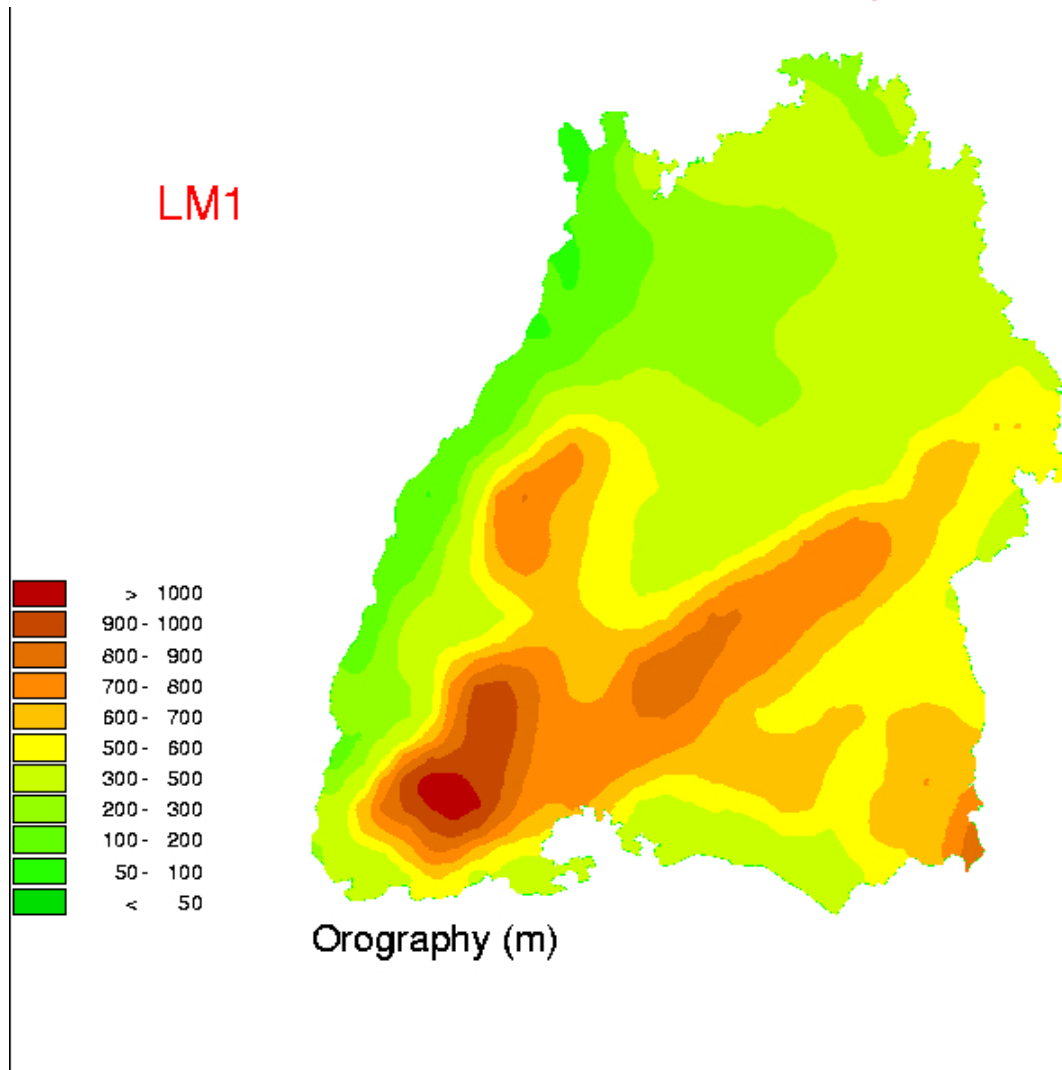


Orography over Germany



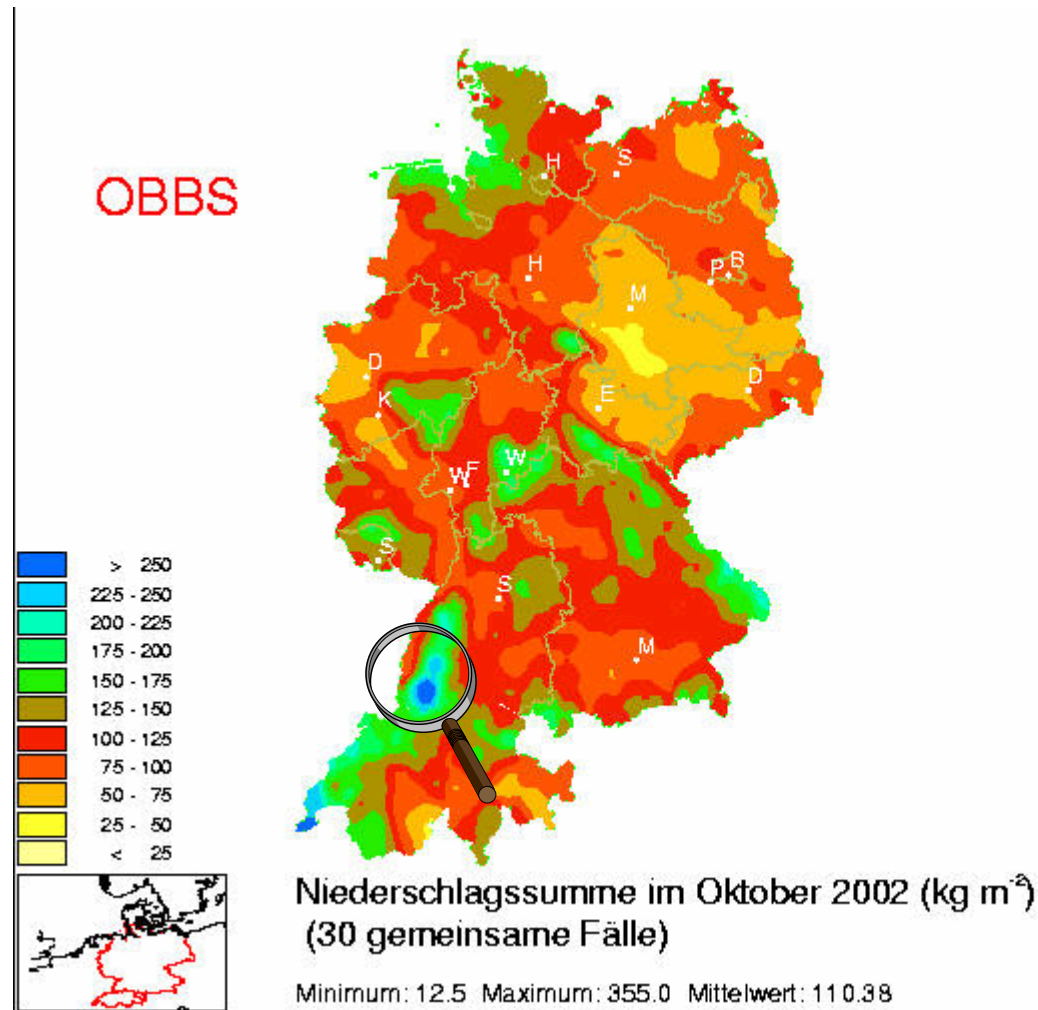


Orography over Southwest-Germany





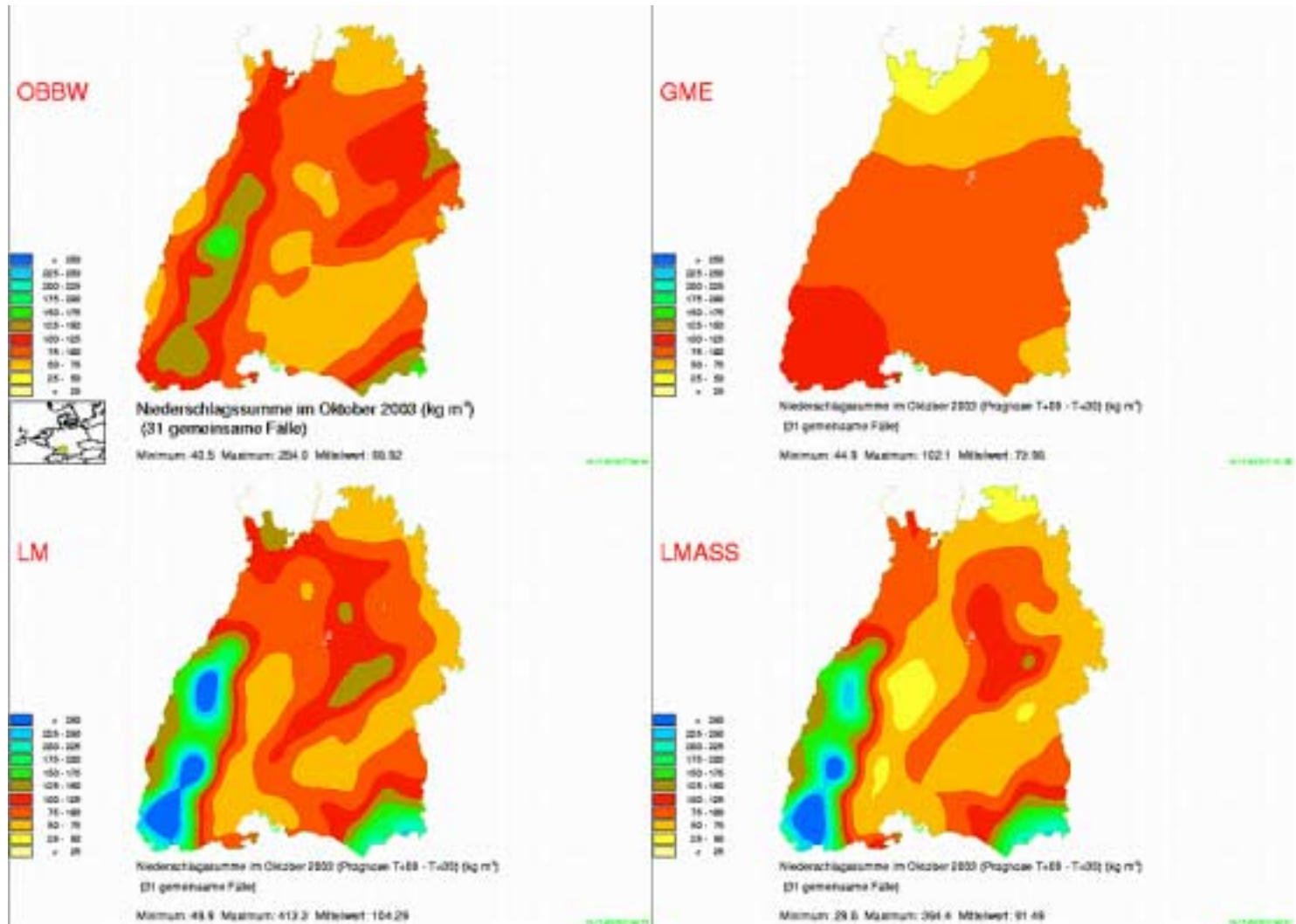
Typical precipitation structure over Germany



04.02.2003 14:09:34

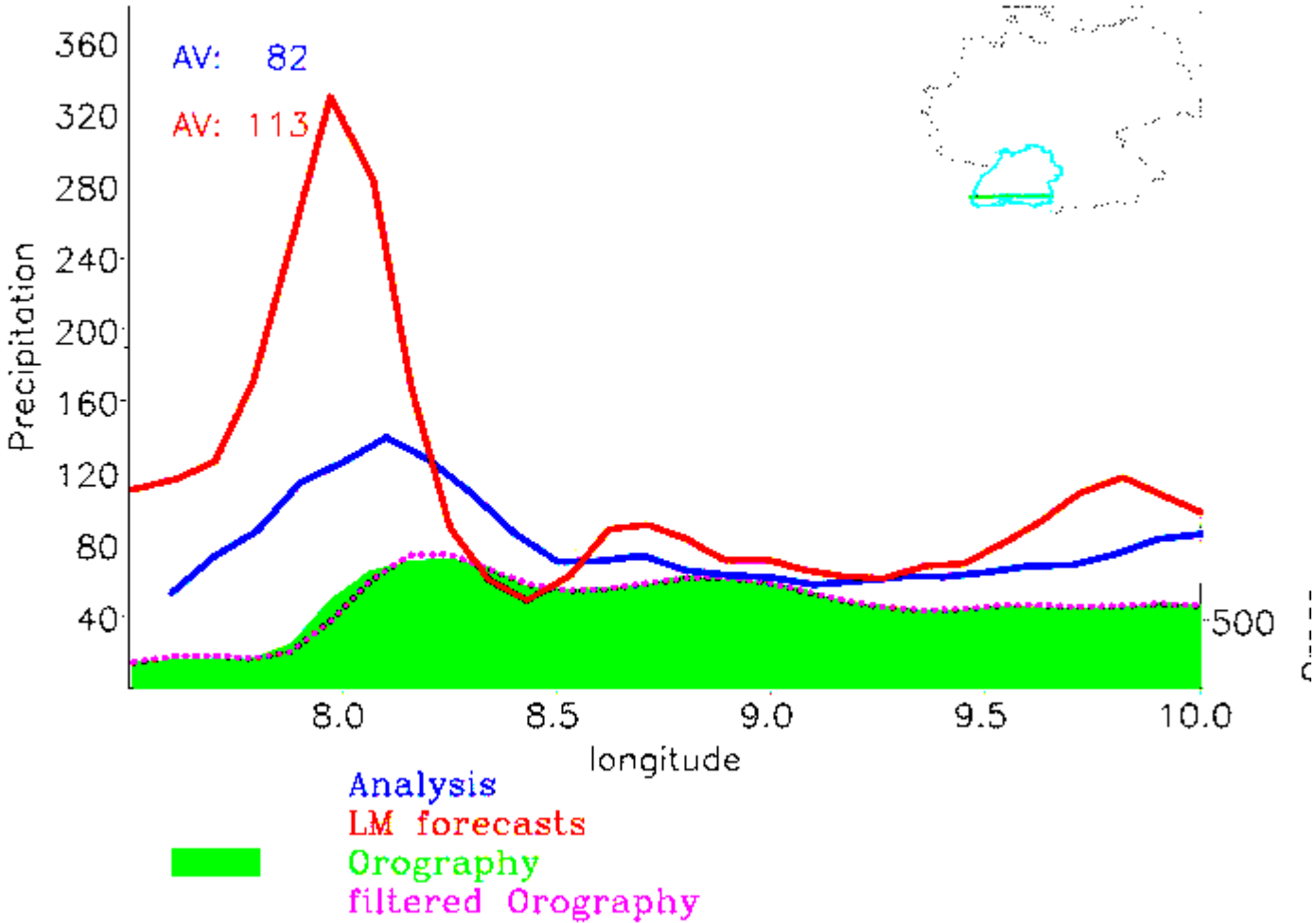


Typical precipitation structure over Southwest-Germany



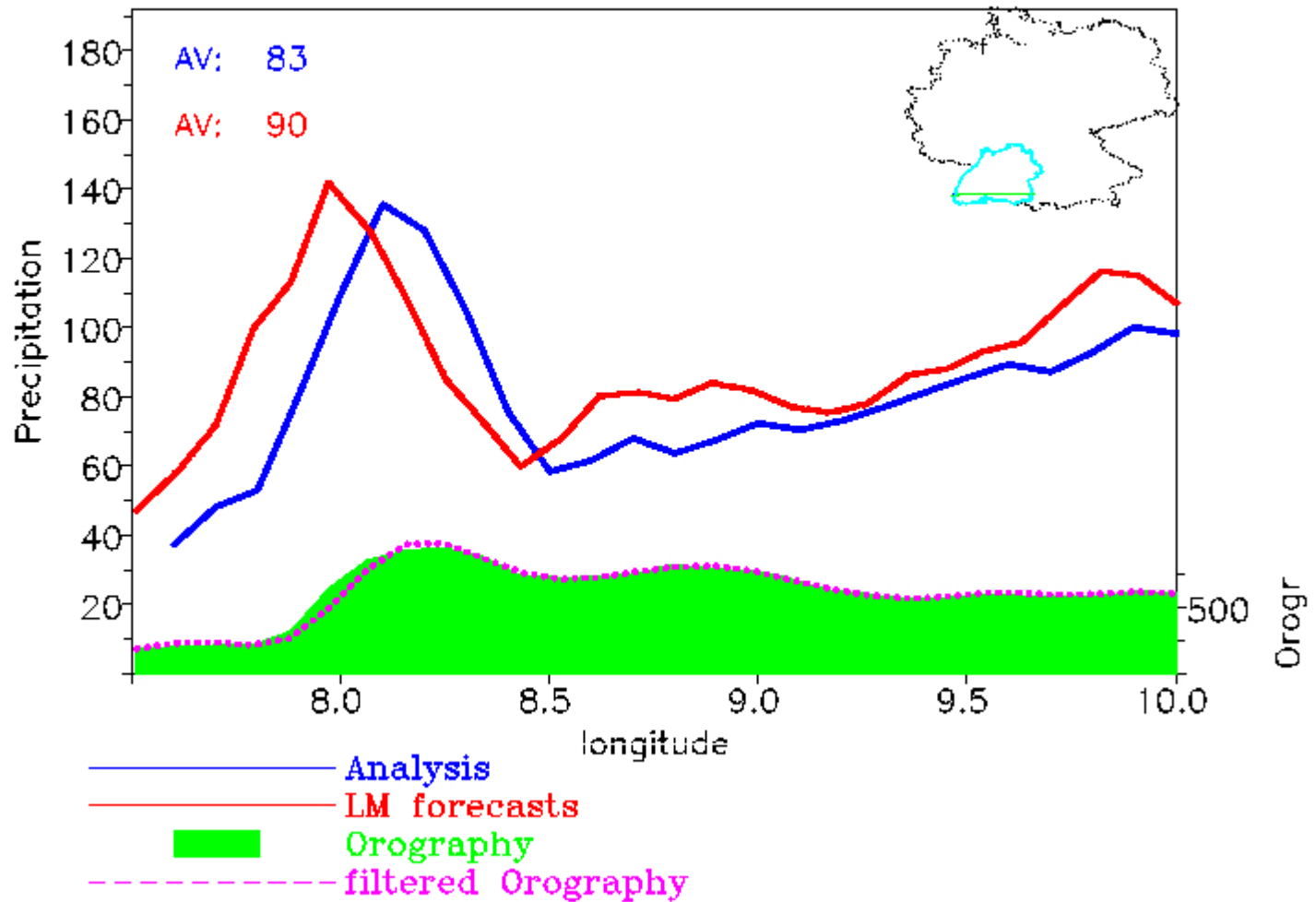


Precipitation October 2003 cross section in the region of Baden-Wuerttemberg





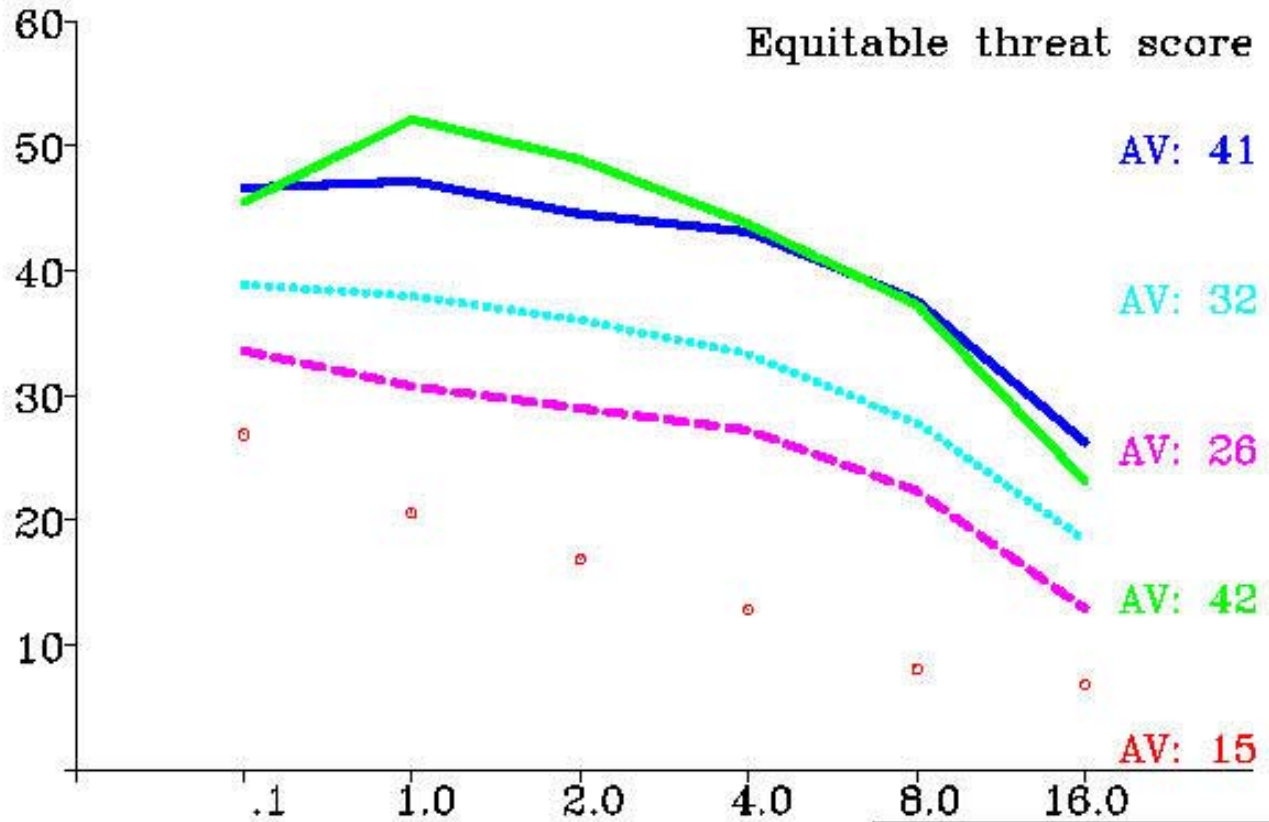
Precipitation May 2004 cross section in the region of Baden-Wuerttemberg



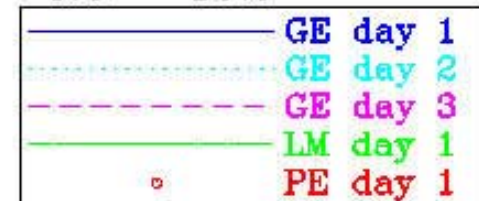


Observations: averaged value in grid of GME
Forecasts : averaged value in grid of GME

Stations in Germany



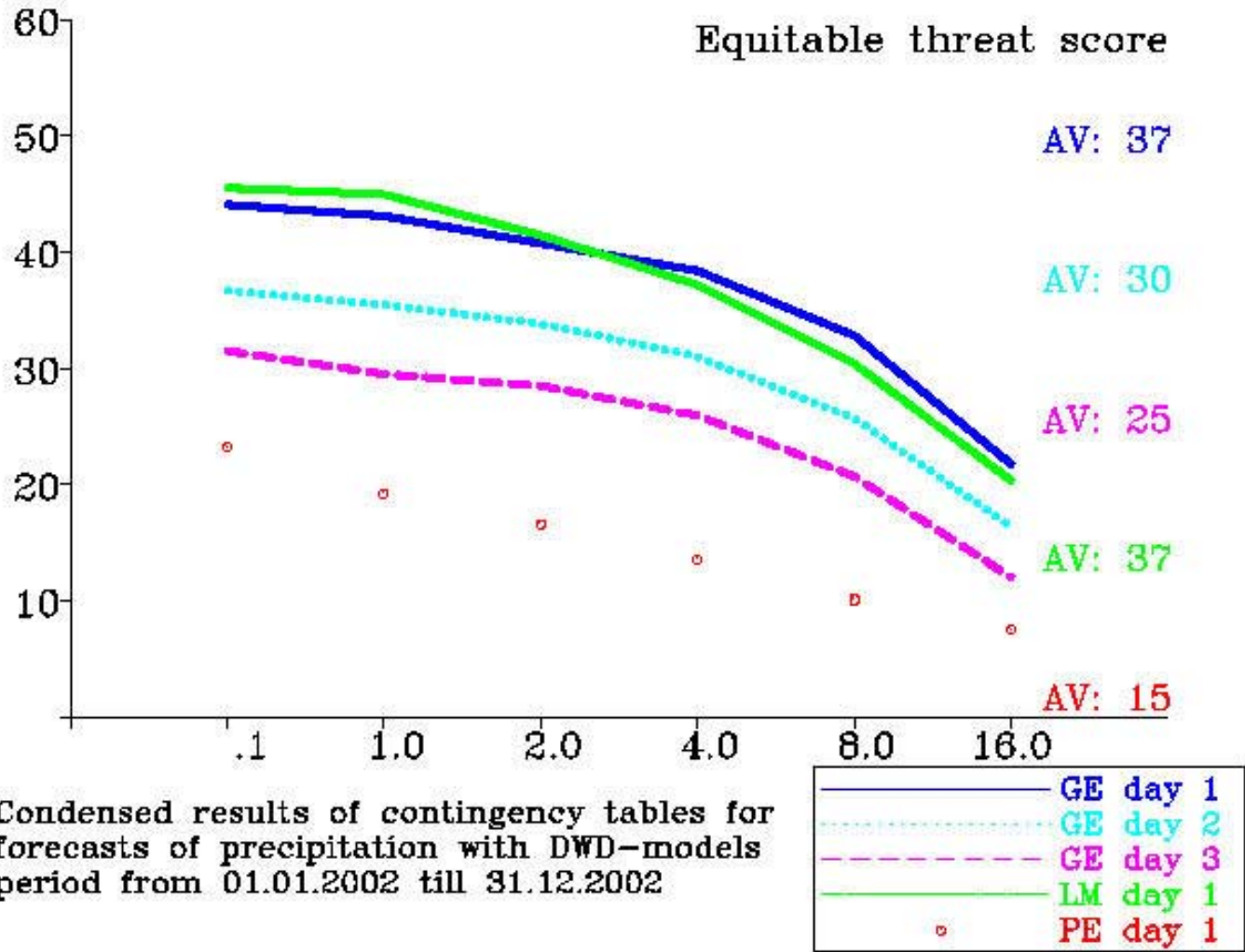
Condensed results of contingency tables for forecasts of precipitation with DWD-models period from 01.01.2002 till 31.12.2002





Observations: averaged value in grid of LM
Forecasts : averaged value in grid of LM

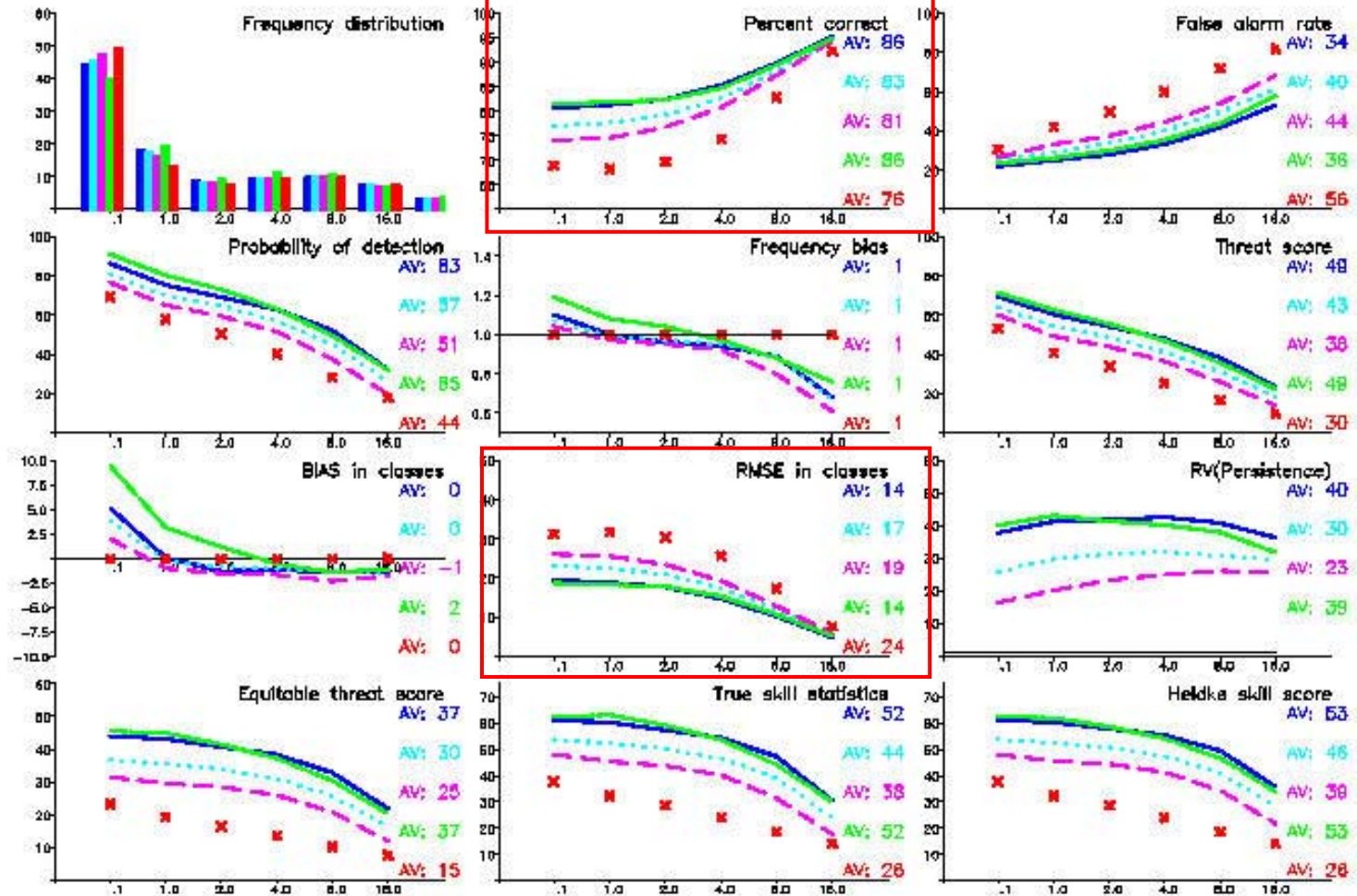
Stations in Germany



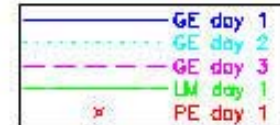


Observations: averaged value in grid of LM
Forecasts : averaged value in grid of LM

Stations in Germany

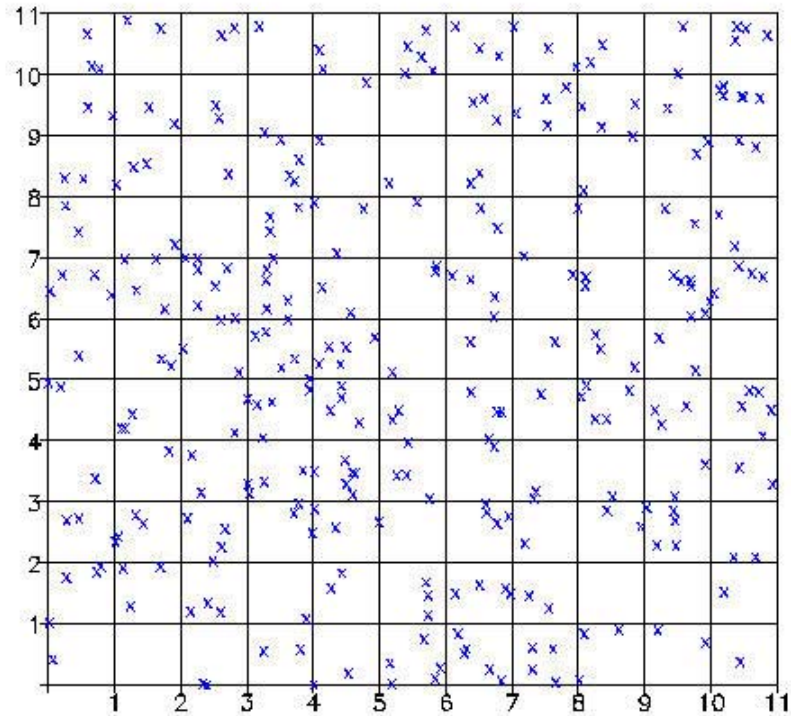


Condensed results of contingency tables for forecasts of precipitation with DWD-models period from 01.01.2002 till 31.12.2002





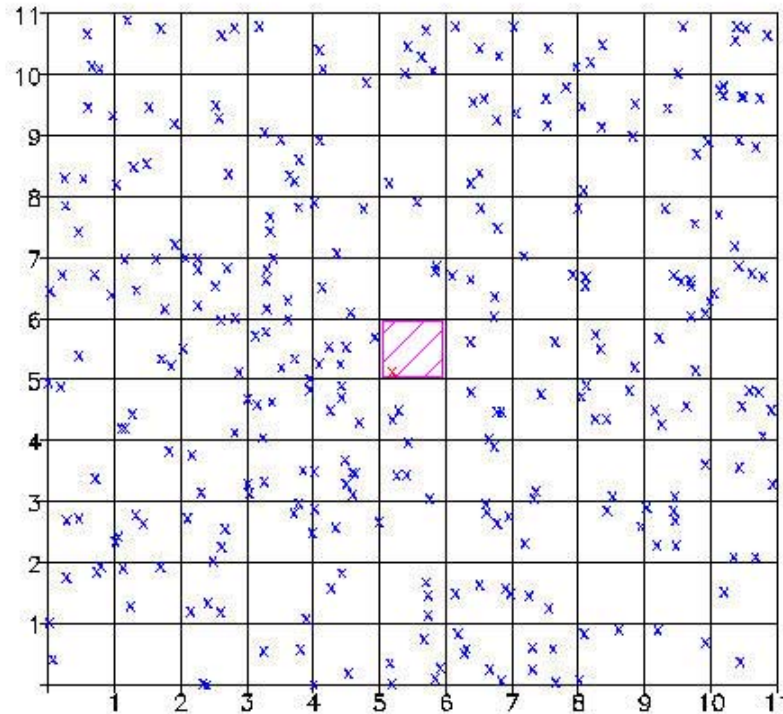
Upscaling observed and forecasted precipitation values





Upscaling observed and forecasted precipitation values (upscale factor 1)

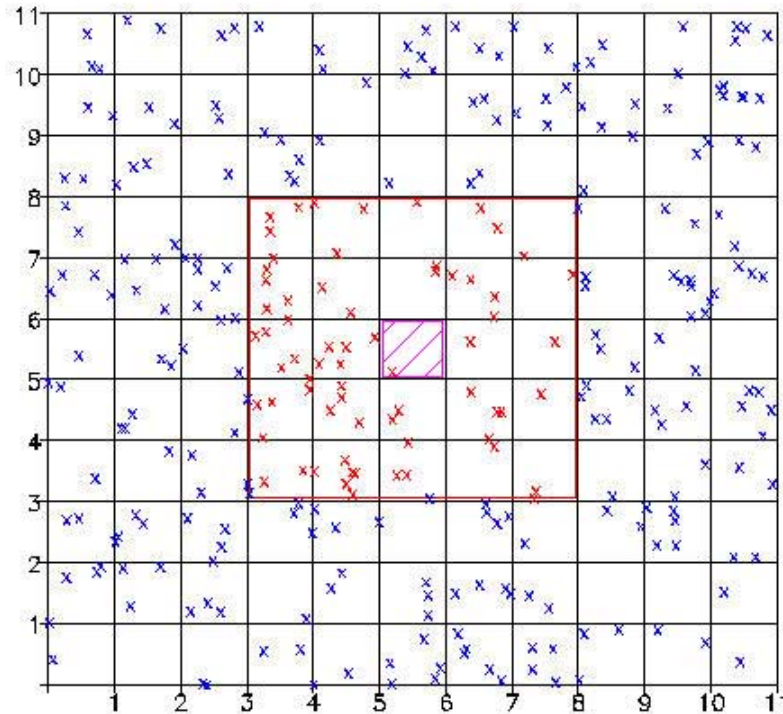
Upscale factor 1
covered area 56 km*km





Upscaling observed and forecasted precipitation values (upscale factor 3)

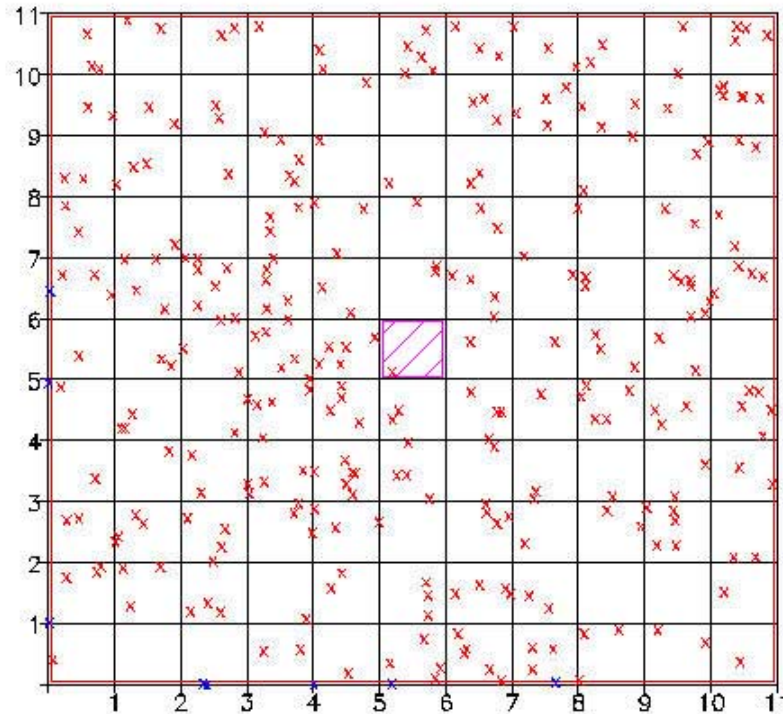
Upscale factor 3
covered area 506 km*km





Upscaling observed and forecasted precipitation values (upscale factor 6)

Upscale factor 6
covered area 2025 km*km

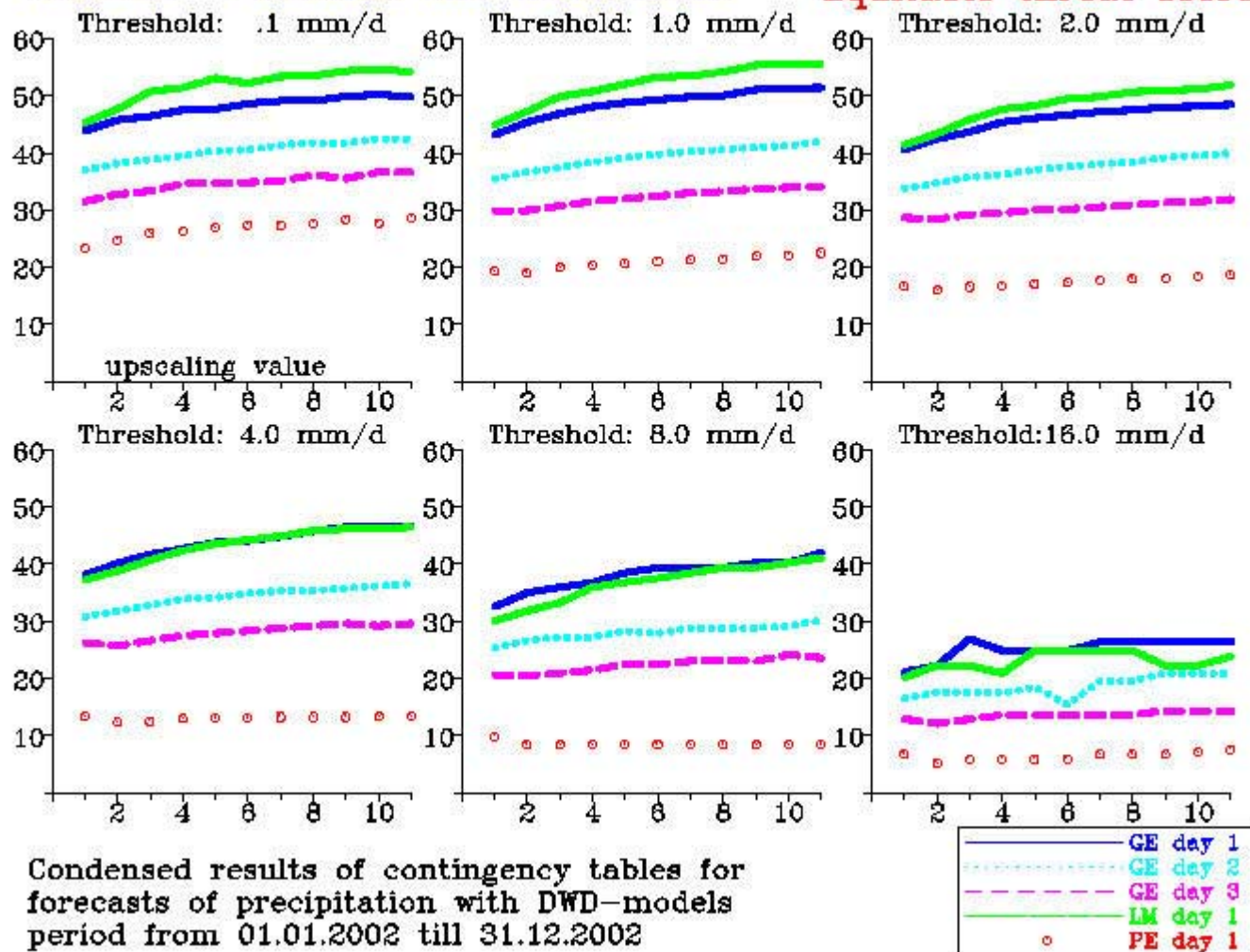




Observations: averaged value in grid of LM
Forecasts : averaged value in grid of LM

Stations in Germany

Equitable threat score

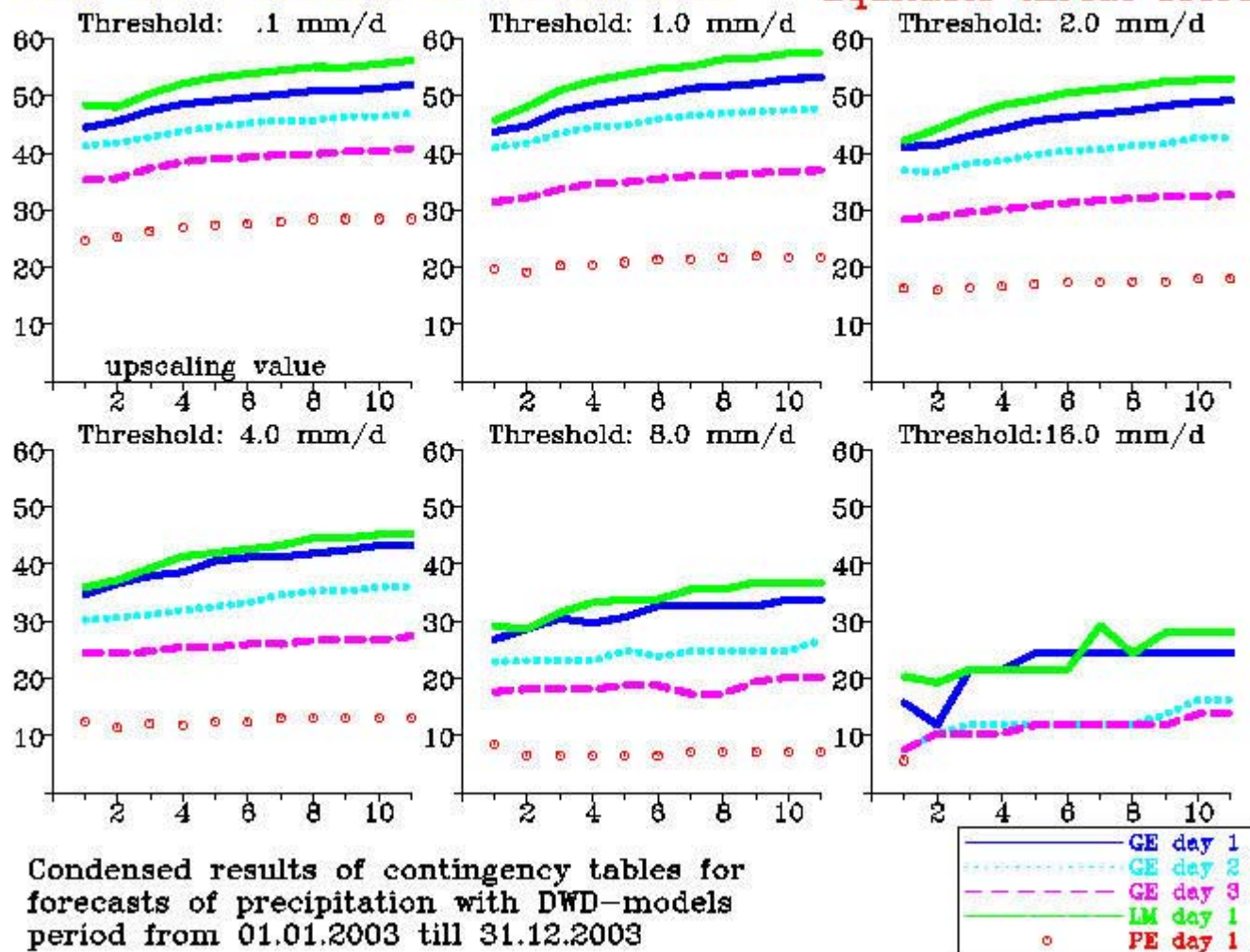




Observations: averaged value in grid of LM
Forecasts : averaged value in grid of LM

Stations in Germany

Equitable threat score

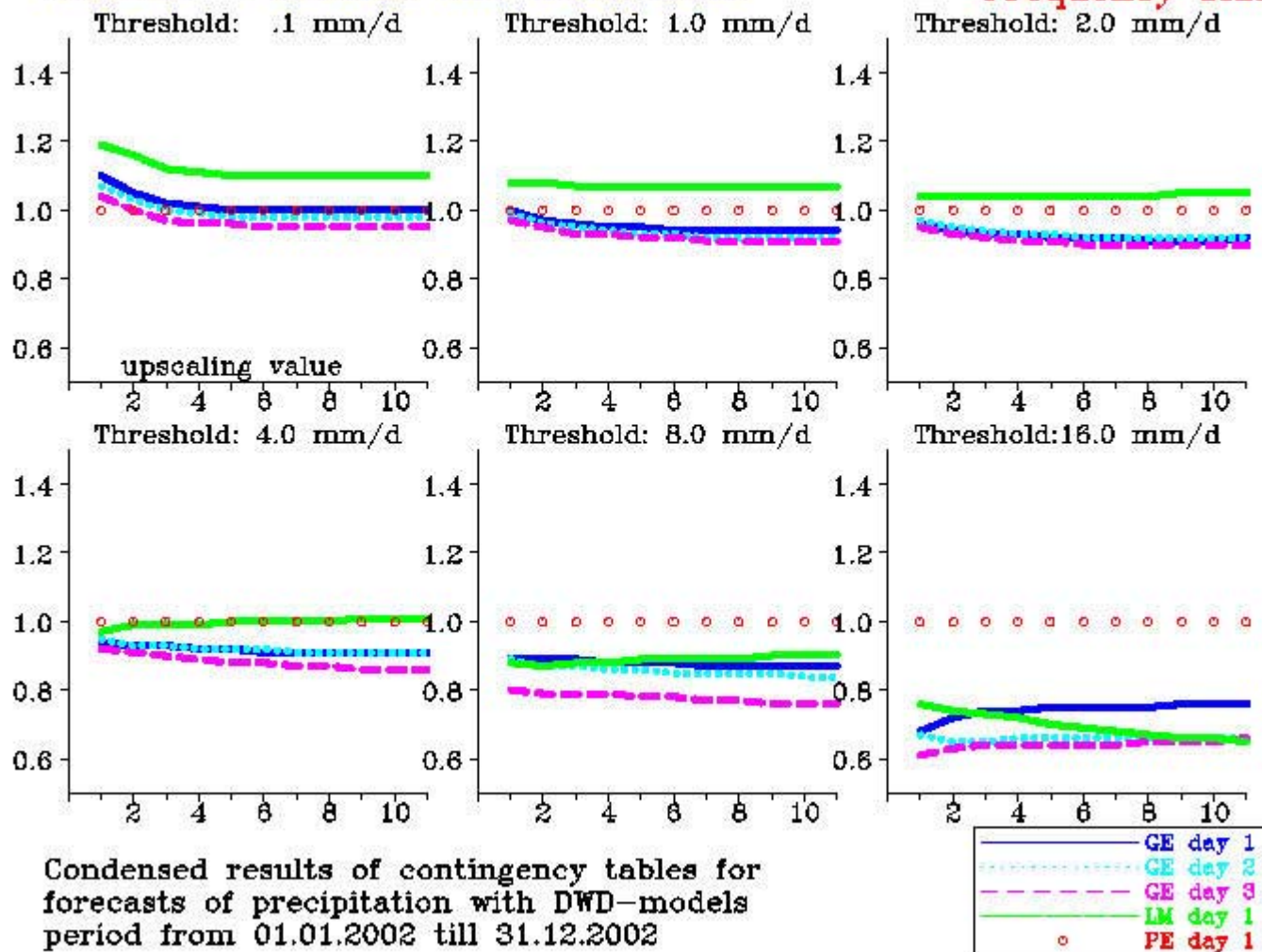




Observations: averaged value in grid of LM
Forecasts : averaged value in grid of LM

Stations in Germany

Frequency bias



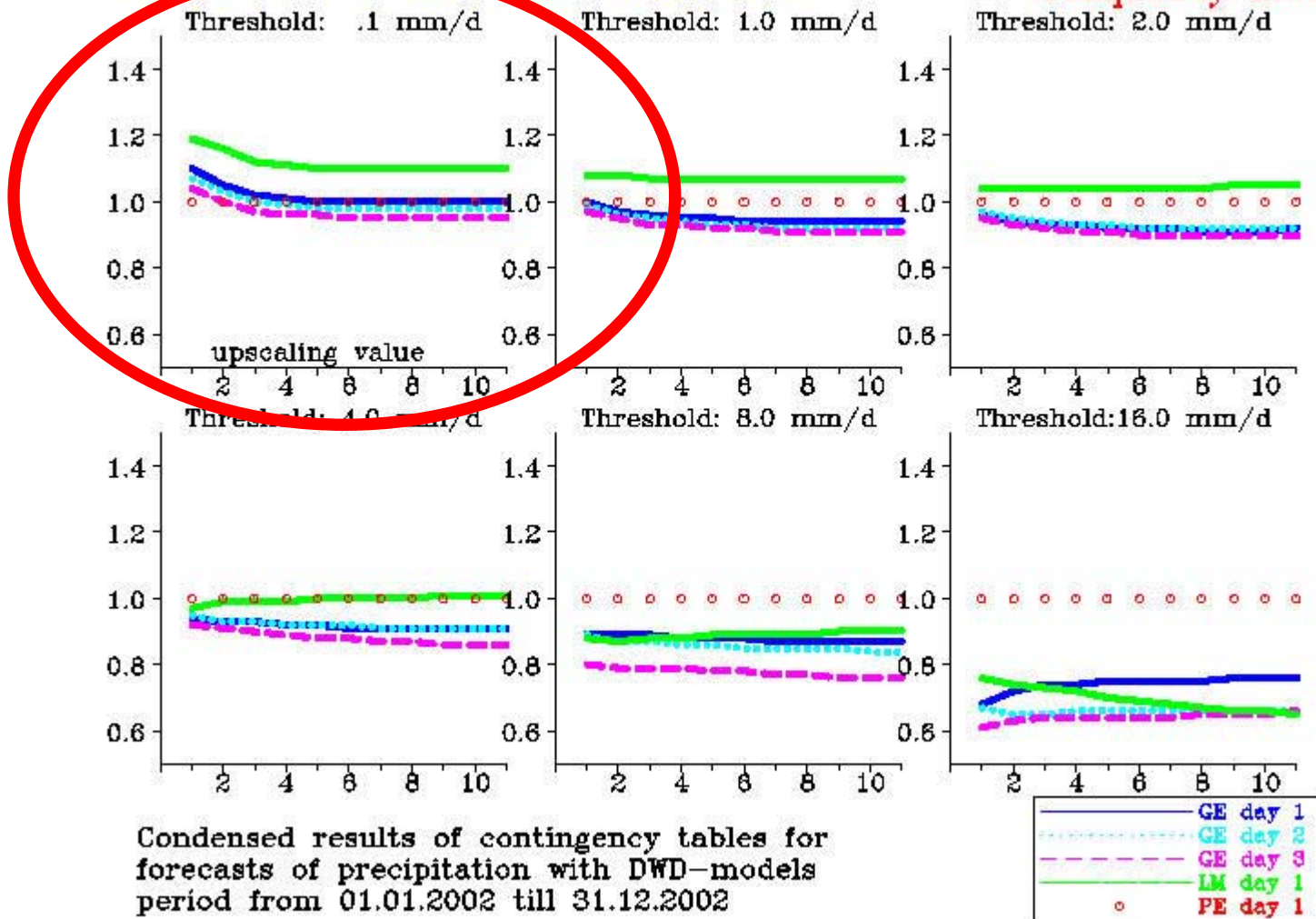


Observations: averaged value in grid of LM

Forecasts : averaged value in grid of LM

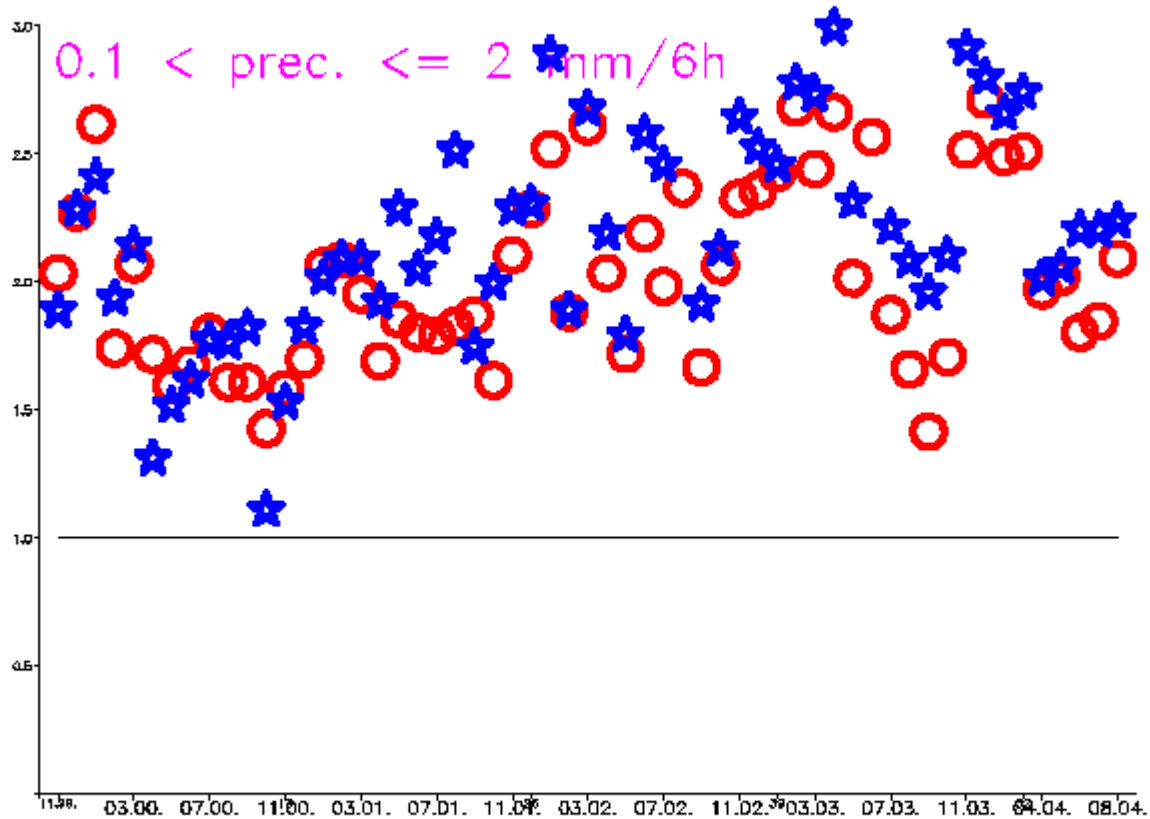
Stations in Germany

Frequency bias





- 018-h-forecasts of LM from 01.11.1999 till 31.08.2004 valid 06 UTC
- 042-h-forecasts of LM from 01.11.1999 till 31.08.2004 valid 06 UTC



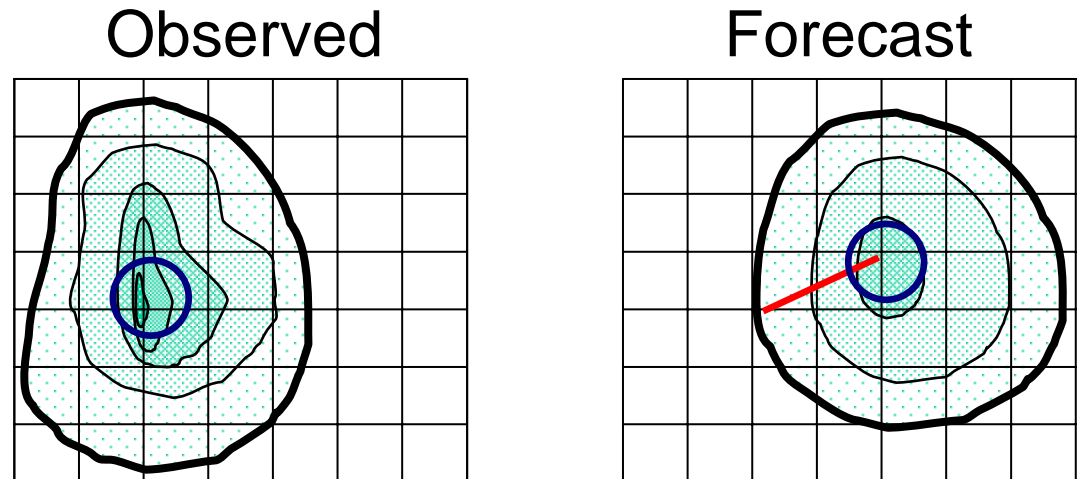
Time series of frequency bias:
verification against SYNOP stations

Entity-based QPF verification (rain “blobs”)

by *E. Ebert* (BOM Melbourne)

Verify the *properties* of the forecast rain system against the *properties* of the observed rain system:

- location
- rain area
- rain intensity (mean, maximum)



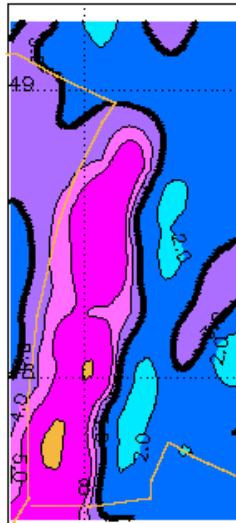
Total mean squared error (MSE):

$$MSE_{total} = MSE_{displacement} + MSE_{volume} + MSE_{pattern}$$

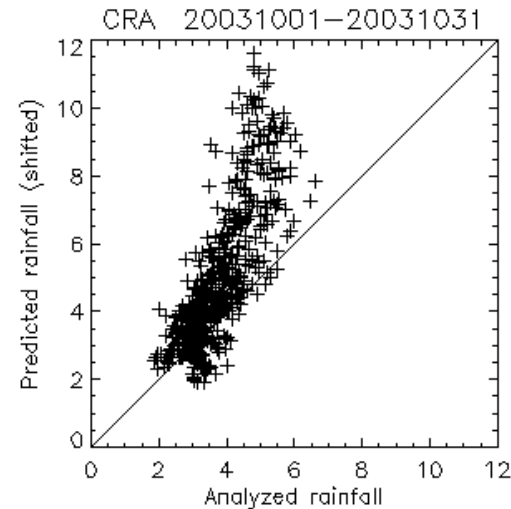
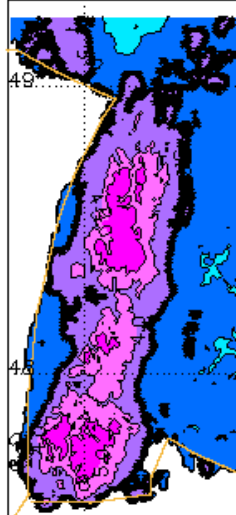


Example of CRA-verification: CRA-area: 3 mm/day for October 2003

Im fcast 20031001-20031031



Analysis 20031001-20031031



Im 06-06 fcast 20031001-20031031 n=561
(47.55°,7.52°) to (49.25°,9.07°)
Verif. grid=0.034° CRA threshold=3.0 mm/d

	Analysed	Forecast
# gridpoints ≥ 3 mm/d	468	387
Average rainrate (mm/d)	3.79	5.07
Maximum rain (mm/d)	6.63	11.60
Rain volume (km ³)	0.04	0.05

Displacement (E,N) = [-0.20°, -0.07°]

	Original	Shifted
RMS error (mm/d)	2.39	1.98
Correlation coefficient	0.349	0.789

Displacement may be wrong – correlation not signif.

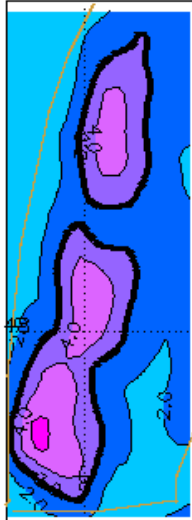
Error Decomposition:

Displacement error	31.9%
Volume error	28.3%
Pattern error	39.8%

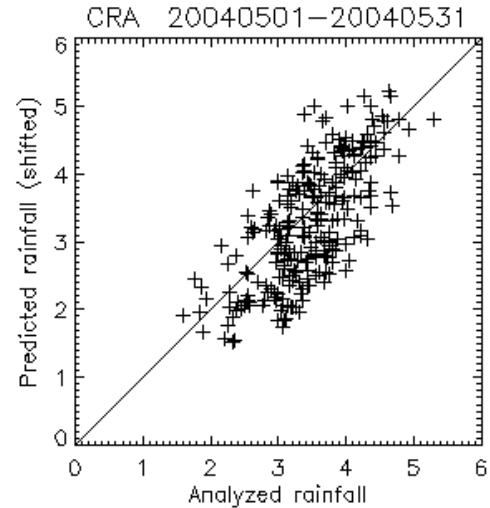
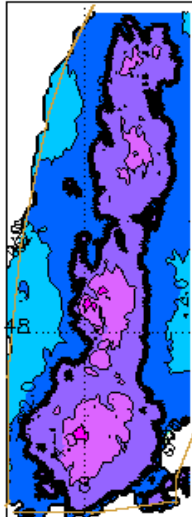


Example of CRA-verification: CRA-area: 3 mm/day for May 2004

Im fcst 20040501-20040531



Analysis 20040501-20040531



Im 06-06 fcst 20040501-20040531 n=269
(47.58°,7.65°) to (48.77°,8.53°)
Verif. grid=0.034° CRA threshold=3.0 mm/d

	Analysed	Forecast
# gridpoints ≥ 3 mm/d	213	162
Average rainrate (mm/d)	3.45	3.29
Maximum rain (mm/d)	5.29	5.23
Rain volume (km ³)	0.02	0.02

Displacement (E,N) = [-0.13°,0.00°]

	Original	Shifted
RMS error (mm/d)	1.03	0.64
Correlation coefficient	0.074	0.703

Displacement may be wrong – correlation not signif.

Error Decomposition:

Displacement error	61.7%
Volume error	2.5%
Pattern error	35.8%



What is a true forecast for a region of interest?

- What is the interest of the user?
- In which way the forecasts satisfy this interest?
- What is the decision process followed by the use of the forecast?
- How can we verify the forecasts depending on the decision process?



Possible decision models

- **A forecast is useful if the event of interest is observed and forecasted at any point of the region of interest**
- **A forecast is useful if the event of interest is observed and forecasted at a minimum of the part of the region of interest (50%?)**
- **Forecasts and observations have a certain probability. How could this information used?**

General idea concerning application of elements of fuzzy sets using a hypothetical precipitation distribution

first part: basics

The contingency table contains in general **four types** of information, the **unification** of **forecast yes/no** and **observation yes/no**. In the traditional way these unification sets are got by comparing **point by point information**. Due to the more or less **statistical character** of precipitation fields in a **small scale** verification can be done in a **window of time and space**, where the occurrence of precipitation is verified as the part of the window, where precipitation was observed and forecasted. The **sets** of observation and forecast yes/no are **assumed to be not sharp**. That is: **Observations yes** means, observation yes to a **certain degree i.e. the part of the window covered by observed** and forecasted precipitation, respectively. **Unification** of different sets than can be calculated using the **laws of fuzzy sets**. (See: Bothe, H.H, Fuzzy Logic, Springer Verlag 1995, Zimmermann, H.-J., Fuzzy Set Theory and its applications, Kluwer Dordrecht 1991)



Contingency table for not sharp yes/no events according to fuzzy set theory

po - area or number of points with observation yes

pf - area or number of points with forecasts yes

FC pf

$$A = \min(po, pf)$$

$$B = \min((1-po), pf)$$

FC (1-pf)

$$C = \min(po, (1-pf))$$

$$D = \min((1-po), (1-pf))$$



Contingency table for yes/no events for a given limit of points/area

	OBS yes $po > x\%$	Obs no $po < x\%$
FC yes $pf > x\%$	A	B
FC no $pf < x\%$	C	D

General idea concerning application of elements of fuzzy sets using a hypothetical precipitation distribution

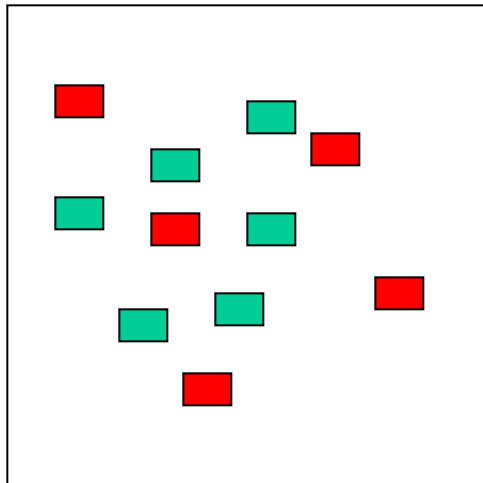
second part: traditional verification

■ „Forecast yes“

■ „Observation“ yes

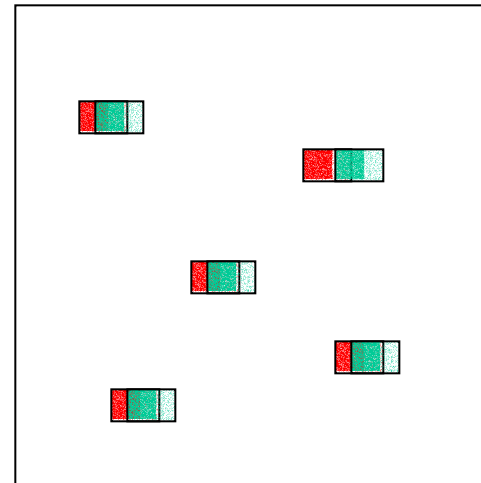
Situation: all observations are at an other place than the forecasts

traditional verification: **no coincidence of forecast and observation,**
all scores lead to perfectly wrong results



Situation: all observations are at the same place as the forecasts

traditional verification: **strong coincidence of forecast and observation,**
all scores lead to perfectly good results



General idea concerning application of elements of fuzzy sets using a hypothetical precipitation distribution

third part: application of fuzzy sets

■ „Forecast yes“

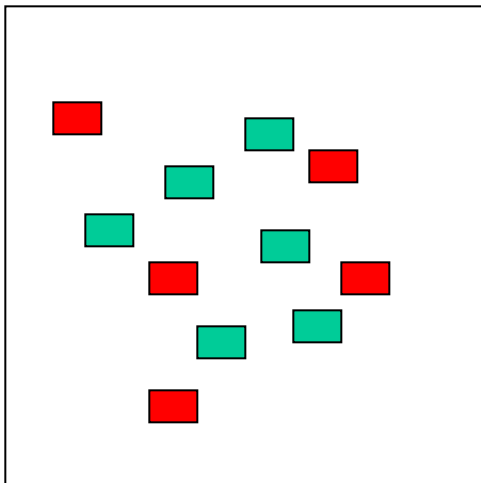
■ „Observation“ yes

Situation: all observations are at an other place than the forecasts

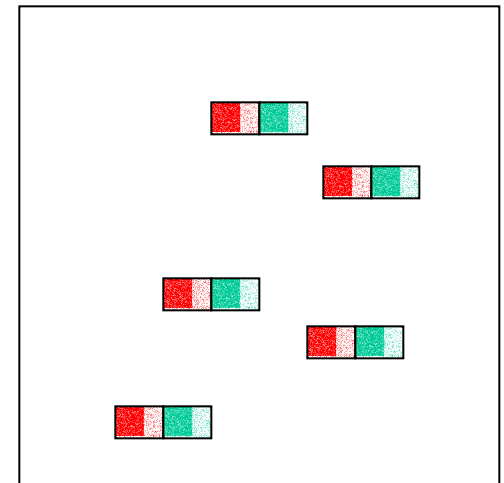
verification using fuzzy sets: **fuzzy coincidence of forecast and observation**, all scores do not lead to perfectly wrong results

Situation: all observations are at the same place as the forecasts

verification using fuzzy sets: **fuzzy coincidence of forecast and observation**, all scores do not lead to perfectly good results

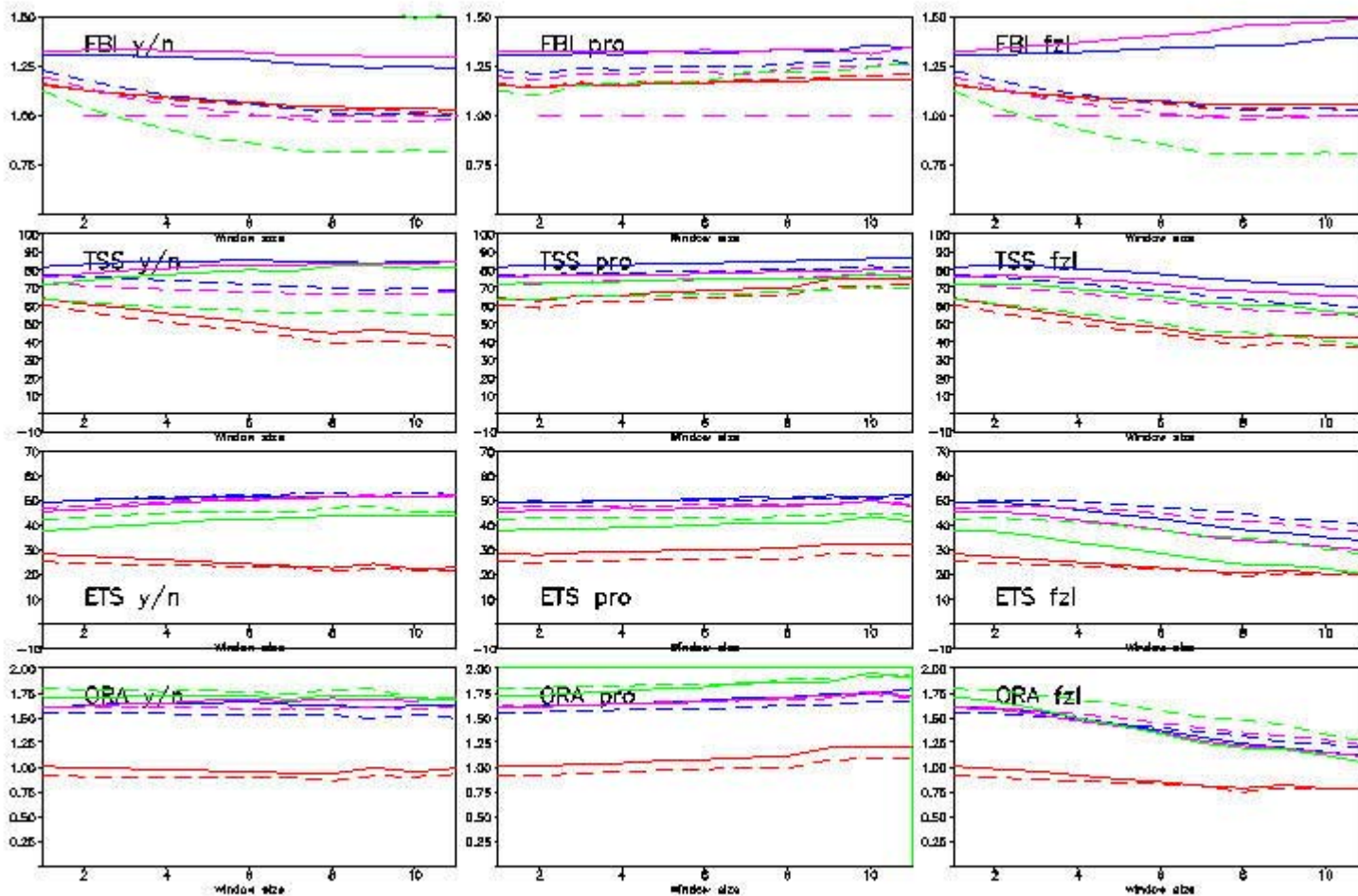


Both cases lead to the same verification results because the same part of the area is covered by forecasted and observed precipitation



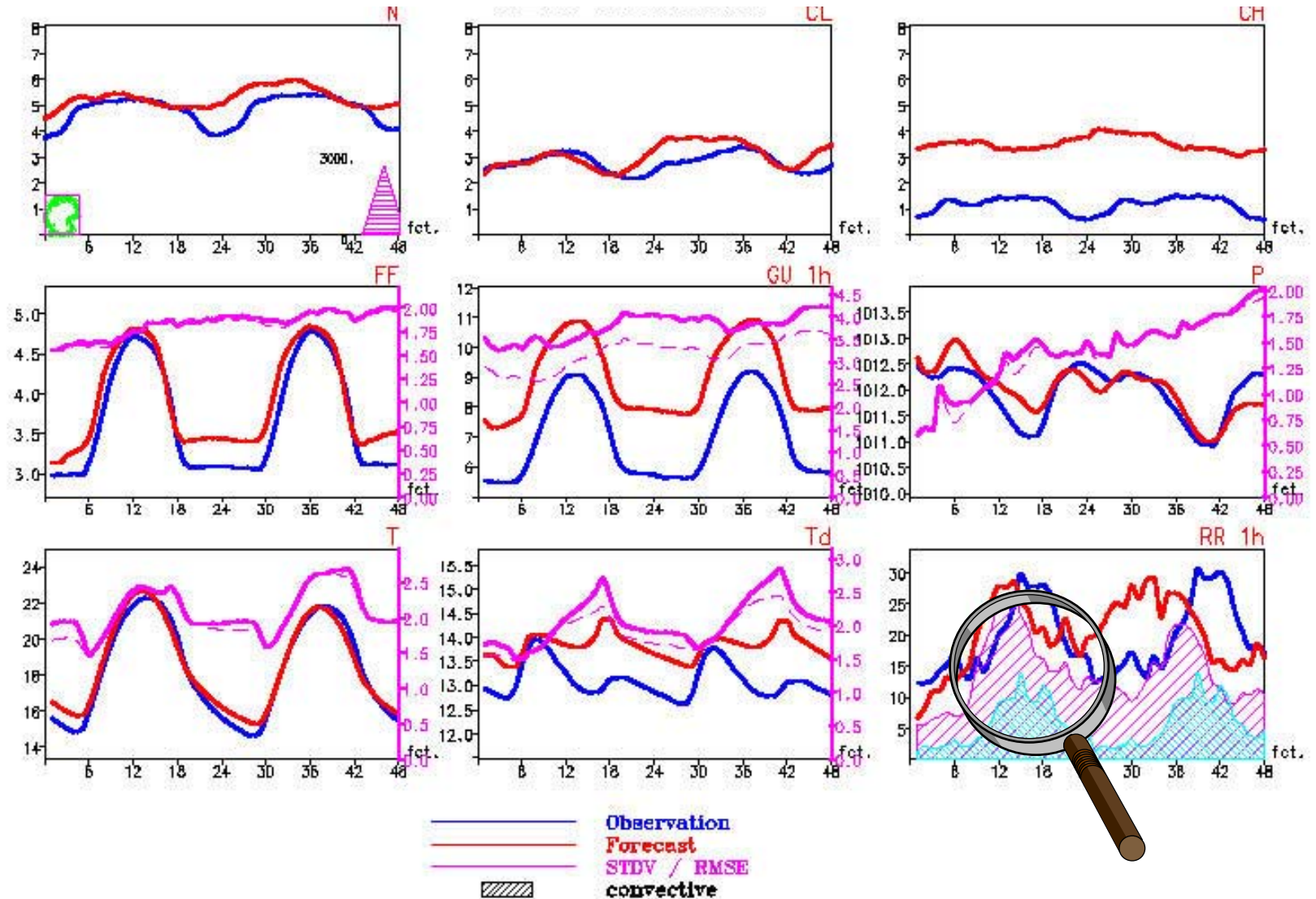


Verification results for 24-h-precipitation sums Period from 25.10.2003 till 27.04.2004 (fuzzy unification MIN)



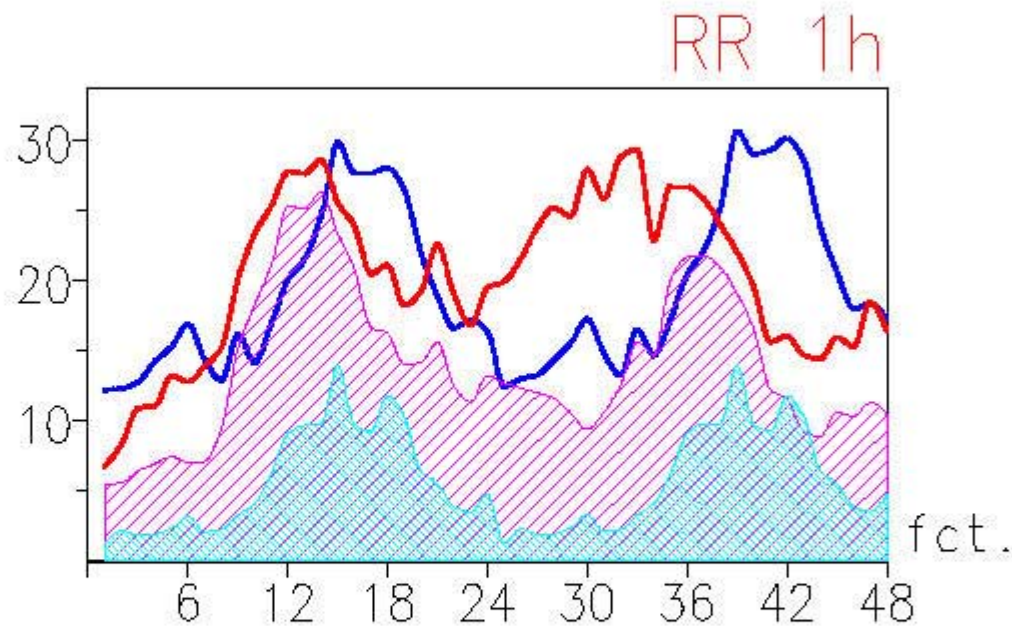


Diurnal cycle of observed and forecasted weather elements, August 2004, start hour 00 UTC



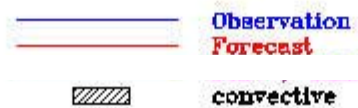


Diurnal cycle of observed and forecasted precipitation,
August 2004, start hour 00 UTC



Convective precipitation
in observations:

SYNOP reports with
ww: 25-27, 29, 80-99





What did we learn?

- **Upscaling and cross sections:**
 - forecaster:* Do not look at a specific point, but around!
 - modeller:* Improve numerics, physics to reduce errors.
- **Pattern recognition:**
 - forecaster:* Be careful when interpreting orographically induced precipitation forecasts.
 - modeller:* Improve forecast mechanism of precipitation for mountainous regions by various methods!
- **SYNOP vs. high density network:**
 - modeller:* Do not overestimate high frequency biases for low precipitation values! Use SYNOP reports to study the diurnal cycles of surface weather elements.
- **Application of fuzzy logics:**
 - potential user:* Use such type of verification in a fuzzy logic forecast system.



**That's all,
thank you for
your attention!**